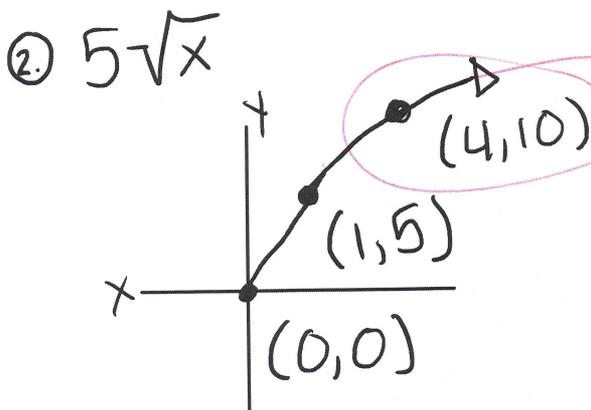
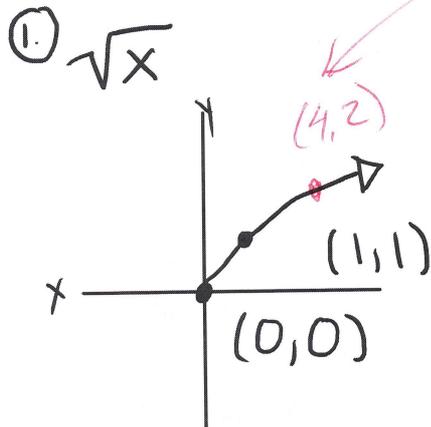


# MAT 1340

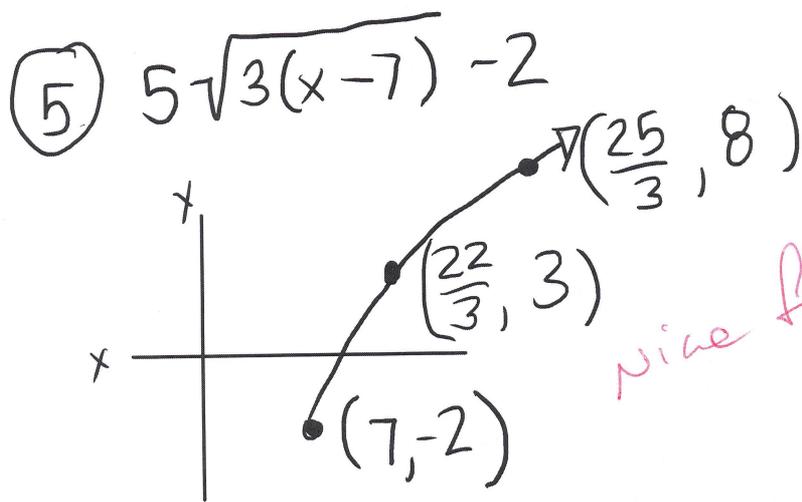
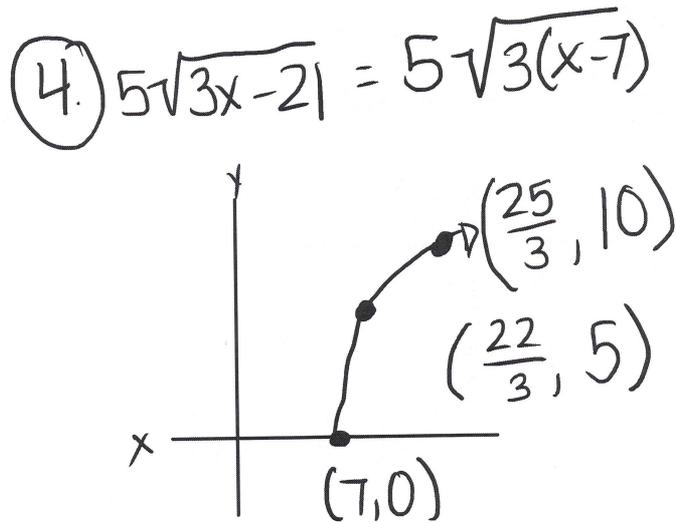
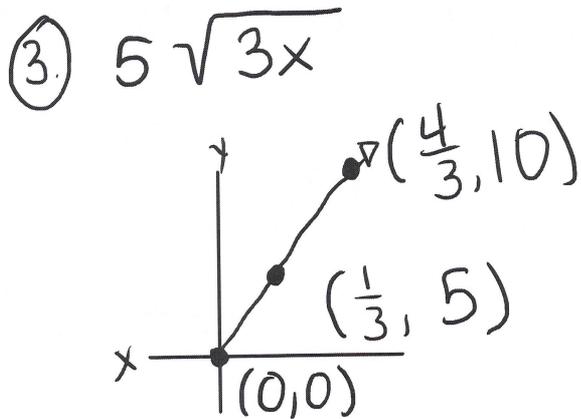
Brooklyn Haskins

*4.5 nice!*

1.  $g(x) = 5\sqrt{3x-21} - 2$



*have to show this in step ① as (4,2)*



*nice finish!*

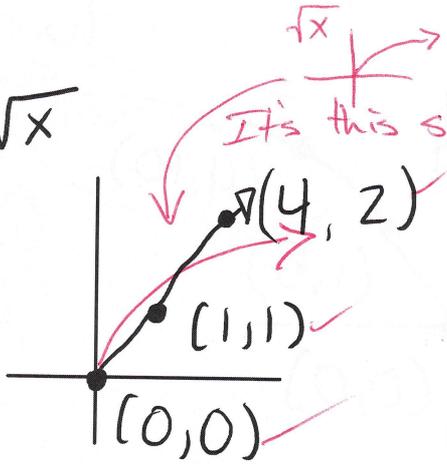
*+4.5*

# MAT 1340

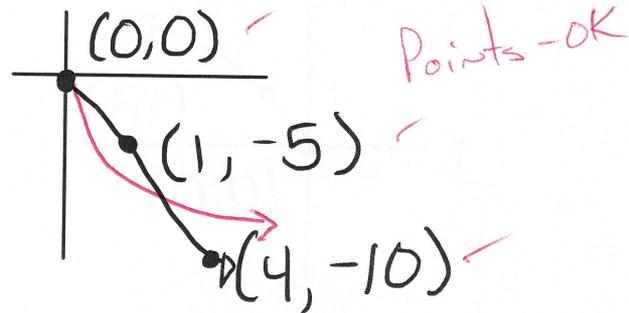
Brooklyn Hoskins

2.  $g(x) = -5\sqrt{3x-21} + 2$

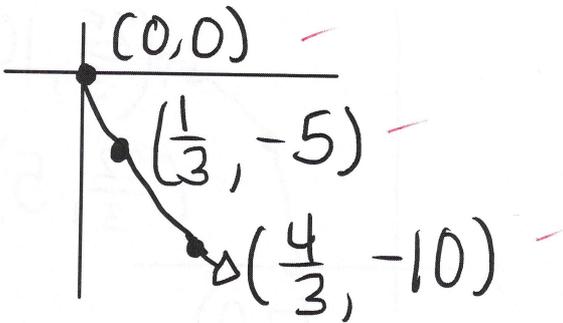
①  $\sqrt{x}$



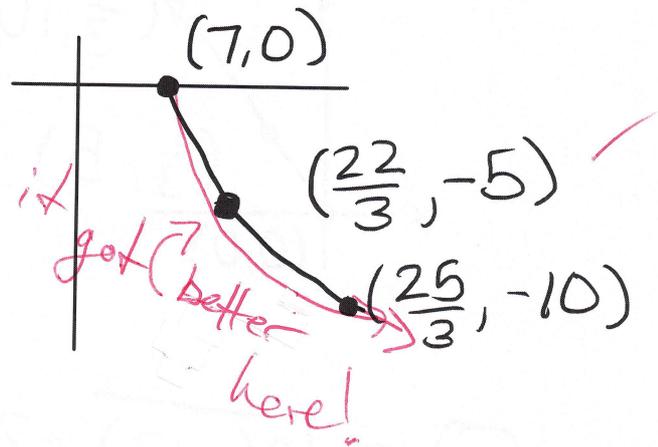
②  $-5\sqrt{x}$



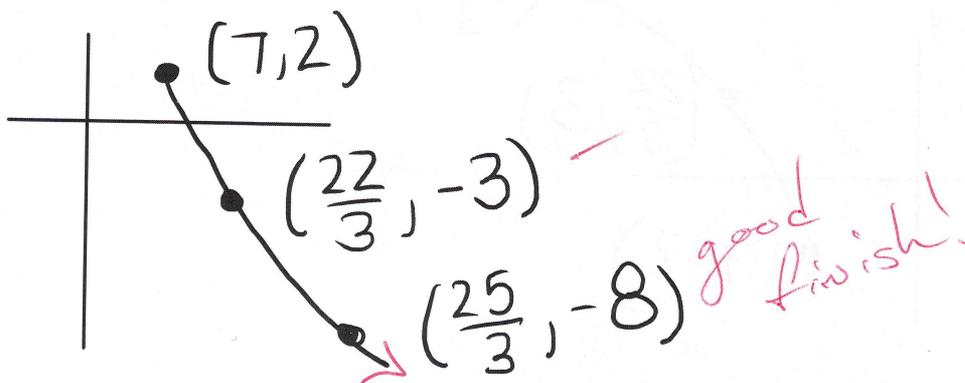
③  $-5\sqrt{3x}$



④  $-5\sqrt{3x-21} = -5\sqrt{3(x-7)}$



⑤  $5\sqrt{3(x-7)} + 2$



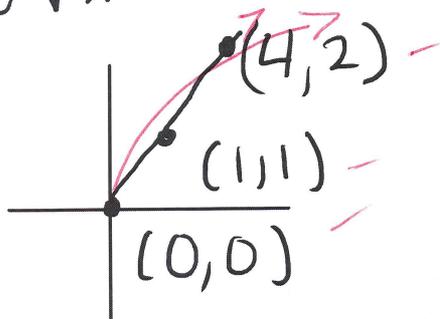
+4.5

# MAT 1340

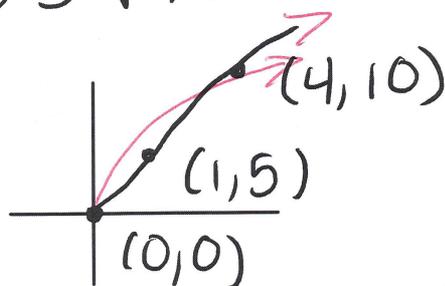
Brooklyn Hoskins

$$\boxed{3} \quad g(x) = 5\sqrt{-3x-21} - 11$$

$$\textcircled{1} \quad \sqrt{x}$$

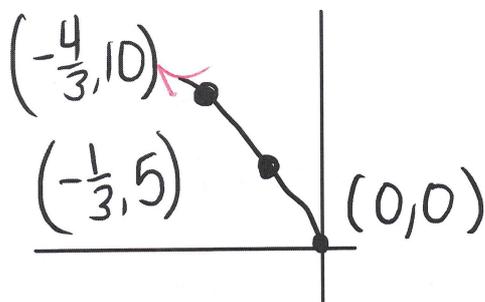


$$\textcircled{2} \quad 5\sqrt{x}$$

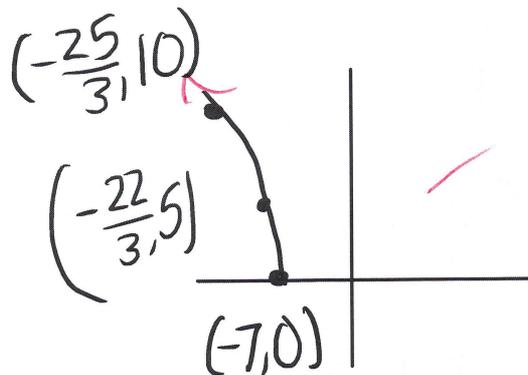


Tip: Draw the curve first, then put your points on it. 😊

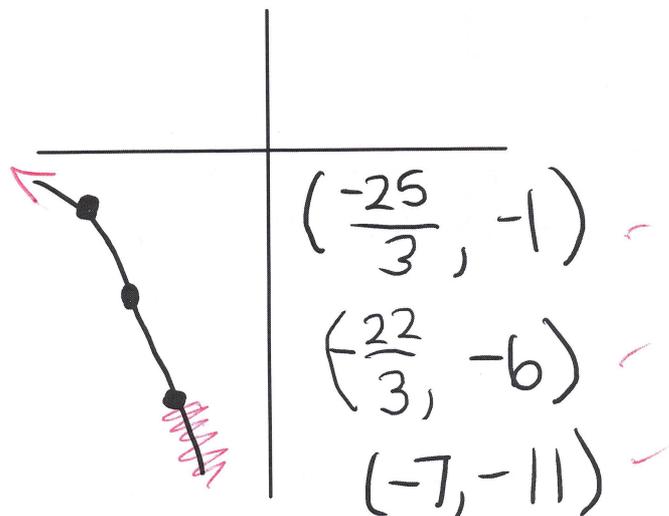
$$\textcircled{3} \quad 5\sqrt{-3x}$$



$$\textcircled{4} \quad 5\sqrt{-3x-21} = 5\sqrt{-3(x+7)}$$



$$\textcircled{4} \quad 5\sqrt{-3(x+7)} - 11$$



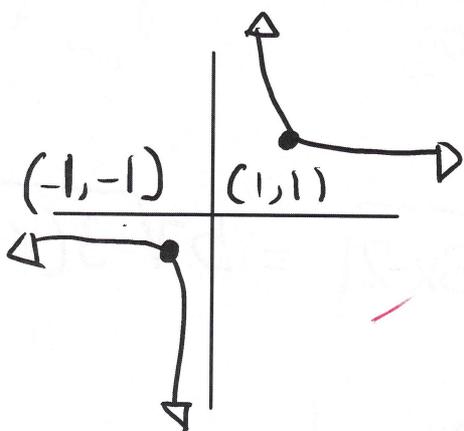
H.S.

# MAT 1340

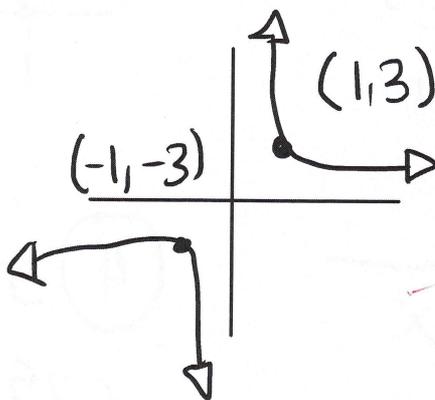
Brooklyn Hoskins

$$\boxed{4} \quad g(x) = \frac{3}{(-2x+8)^3} + 5 = 3 \left( \frac{1}{(-2(x-4))^3} \right) + 5$$

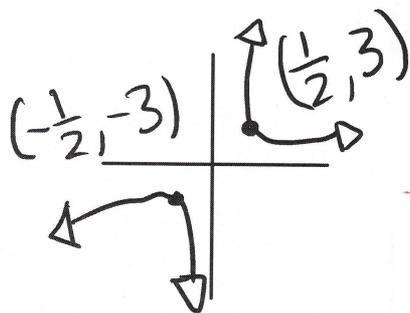
①  $\frac{1}{x^3}$



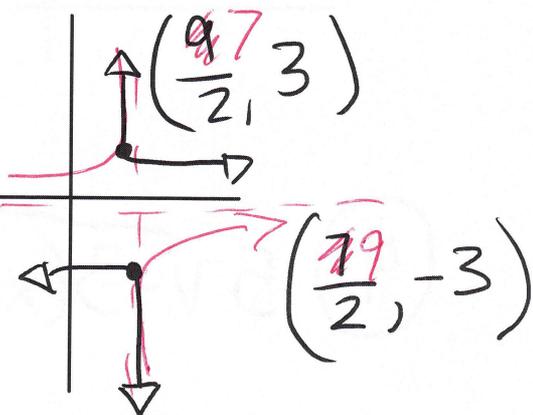
②  $3 \left( \frac{1}{x^3} \right)$



③  $3 \left( \frac{1}{(2x)^3} \right)$

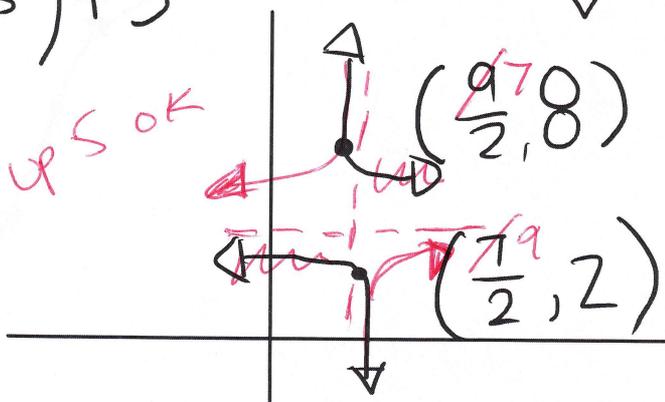


④  $3 \left( \frac{1}{(-2(x-4))^3} \right)$



The whole thing flips, not just the x's.

⑤  $3 \left( \frac{1}{(-2(x-4))^3} \right) + 5$



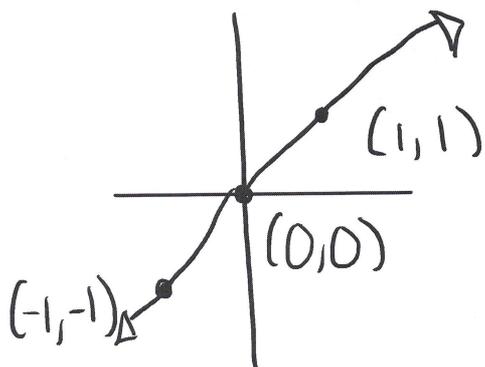
+4

# MAT 1340

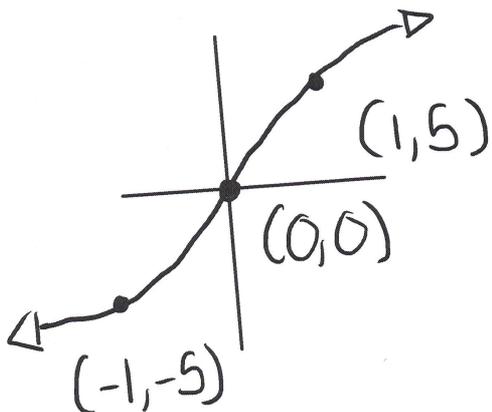
Brooklyn Hoskins

5.  $g(x) = 5\sqrt[5]{3x+21} - 6$

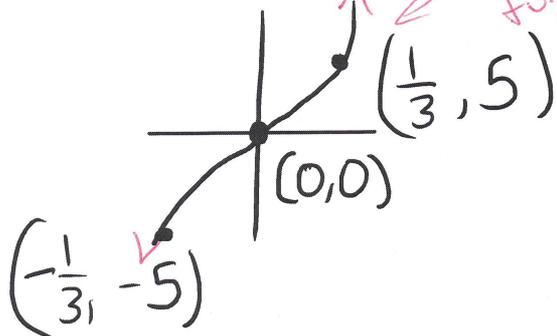
①  $\sqrt[5]{x}$



②  $5\sqrt[5]{x}$

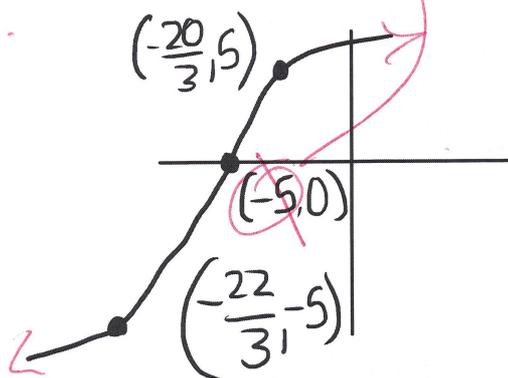


③  $5\sqrt[5]{3x}$

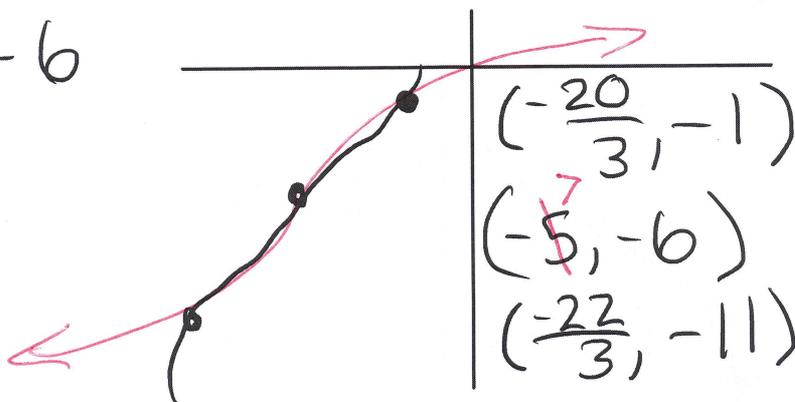


? different function here.

④  $5\sqrt[5]{3(x+7)}$



⑤  $5\sqrt[5]{3x+21} - 6$

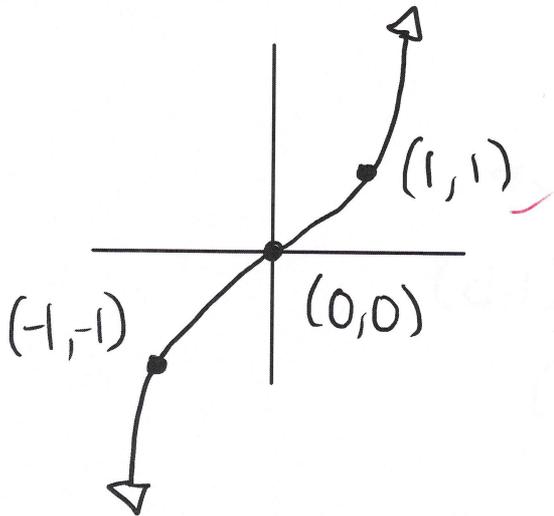


# MAT 1340

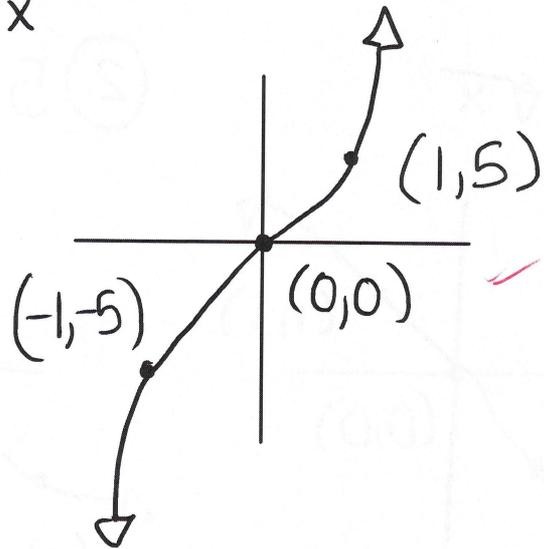
Brooklyn Hoskins

6.  $g(x) = 5(3x+21)^5 - 6$

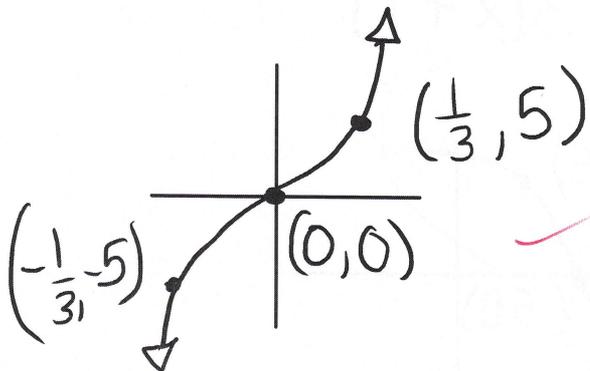
①  $x^5$



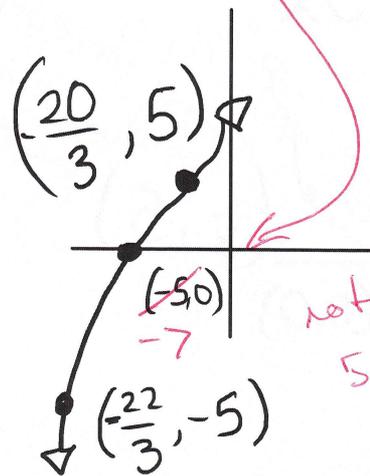
②  $5x^5$



③  $5(3x)^5$

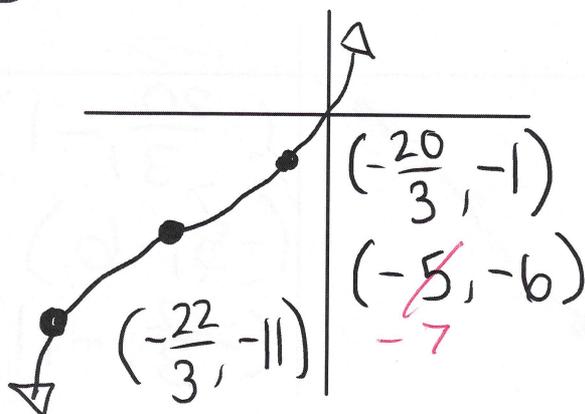


④  $5(3(x+7))^5$



not sure where  
5 came from...

⑤  $5(3x+21)^5 - 6$



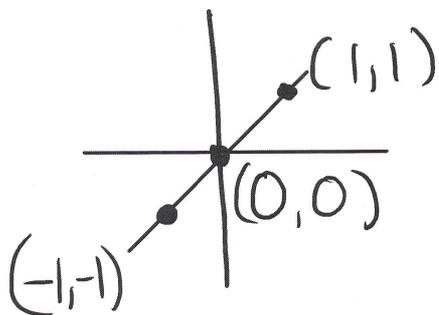
+4.5

# MAT1340

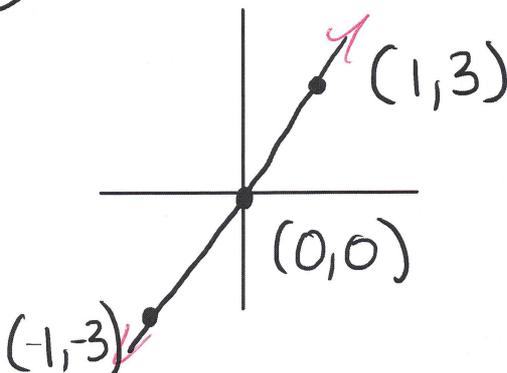
Brooklyn Hoskins

7.  $g(x) = 3(x+5) - 7$

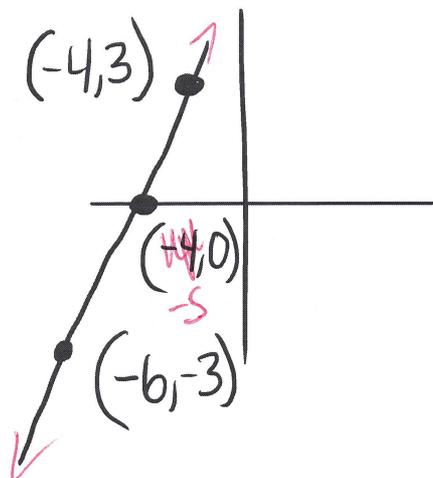
①  $x$



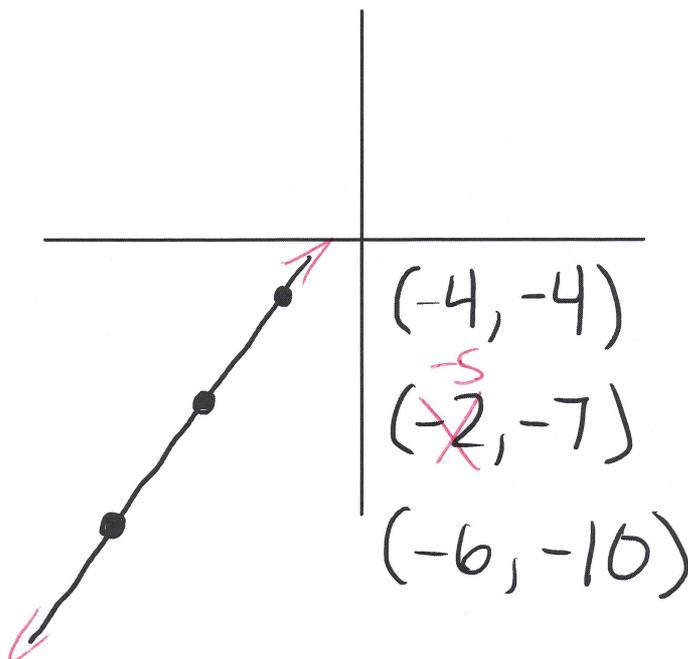
②  $3x$



③  $3(x+5)$



④  $3(x+5) - 7$

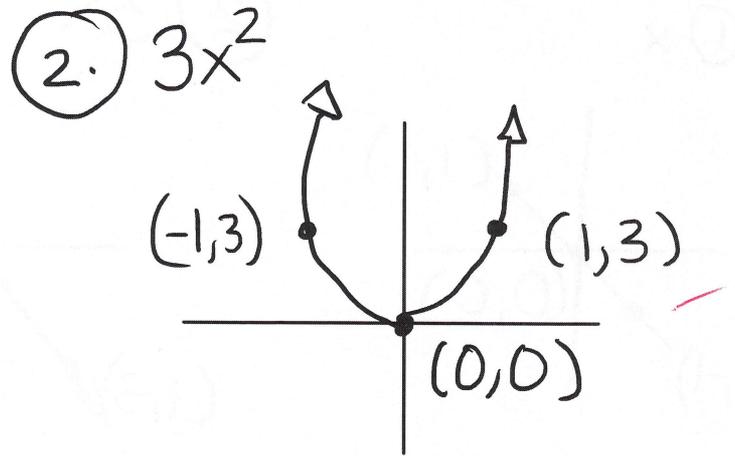
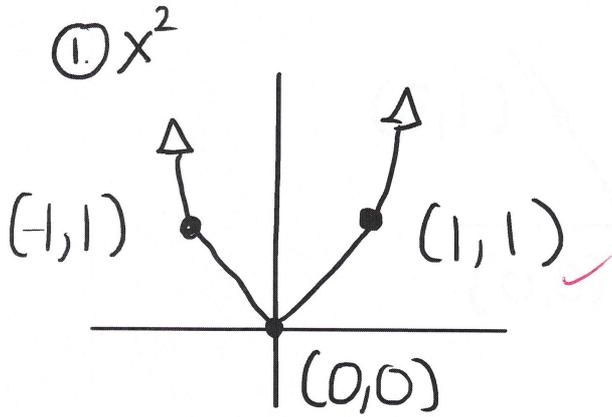


+4.5

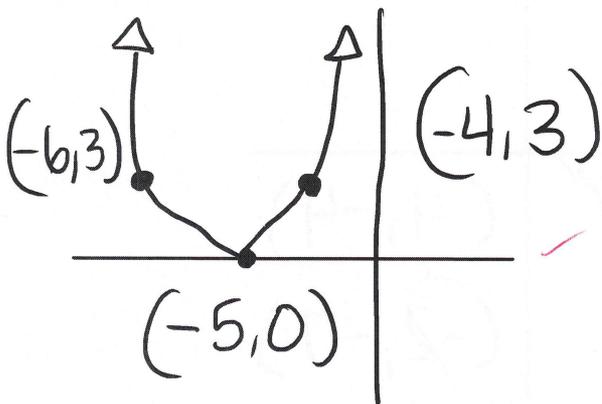
# MAT 1340

Brooklyn Hoskins

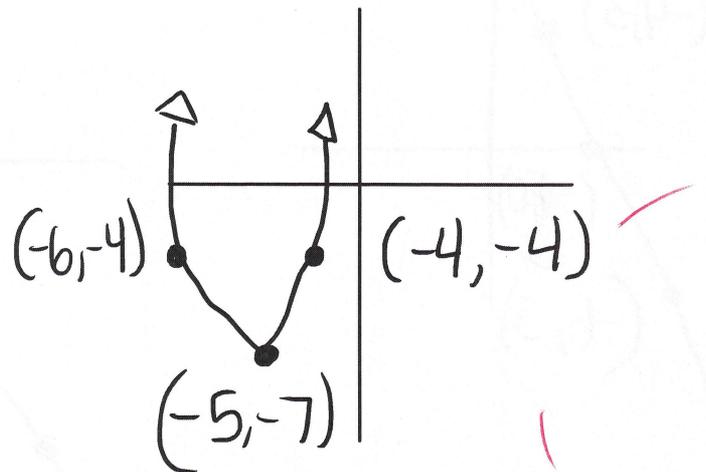
8.  $g(x) = 3(x+5)^2 - 7$



③  $3(x+5)^2$



④  $3(x+5)^2 - 7$



Nice!

# MAT1340

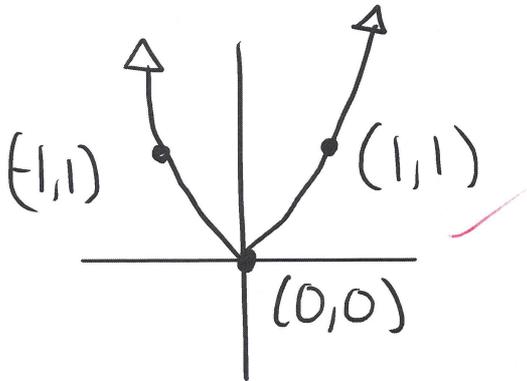
Brooklyn Hoskins

9  $g(x) = x^2 - 4x - 7$

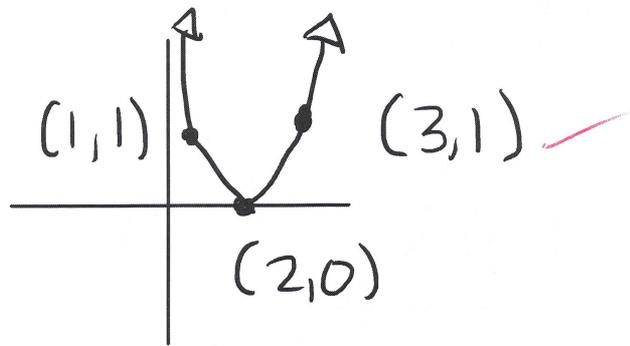
$(x-2)^2 - 11$

show how  
would be nice,  
but OK

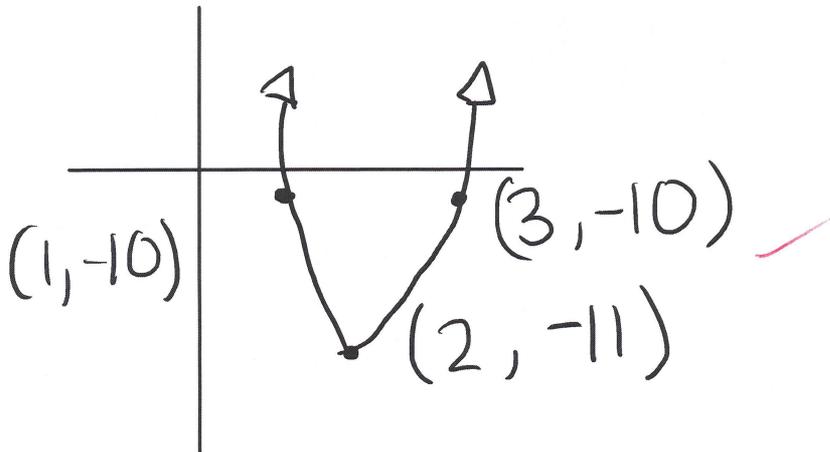
①  $x^2$



②  $(x-2)^2$



③  $(x-2)^2 - 11$



# MAT1340

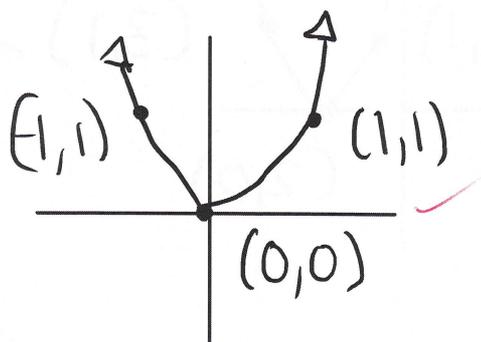
Brooklyn Hoskins

10.  $g(x) = 4x^2 + 5x + 17$

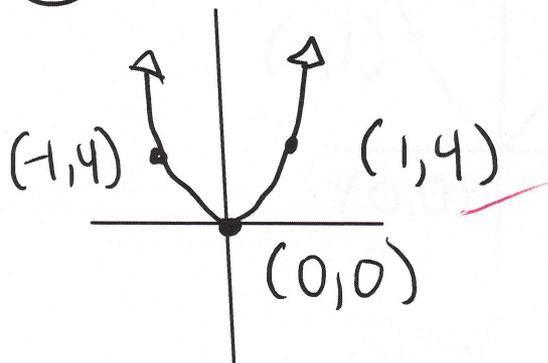
$$4\left(x + \frac{5}{2(4)}\right)^2 + \left(17 - \frac{5^2}{4(4)}\right)$$

$$4\left(x + \frac{5}{8}\right)^2 + \frac{247}{16}$$

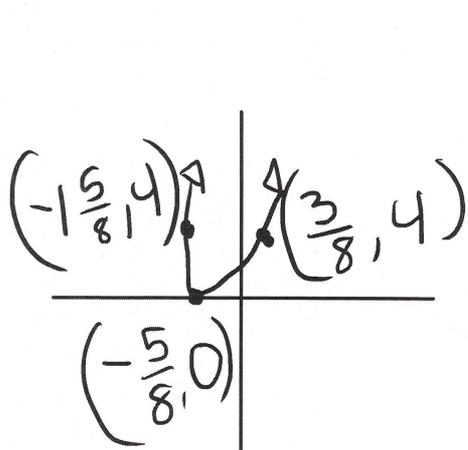
1.  $x^2$



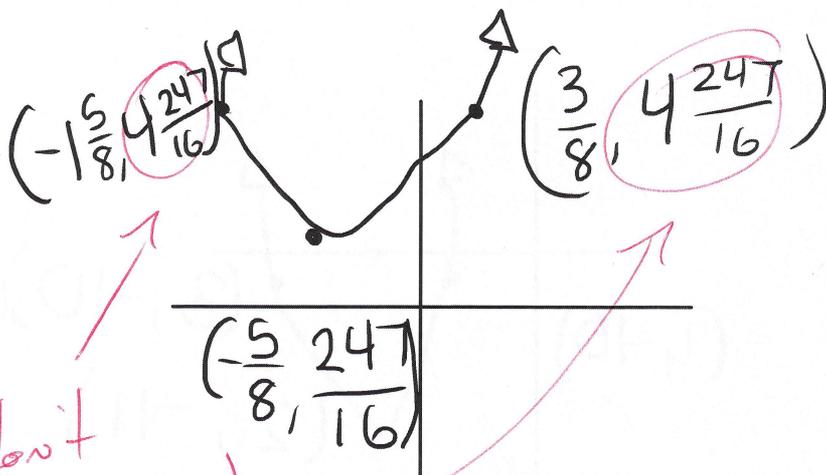
2.  $4x^2$



3.  $4\left(x + \frac{5}{8}\right)^2$



4.  $4\left(x + \frac{5}{8}\right)^2 + \frac{247}{16}$



don't  
leave mixed  
fractions.

+H.S