

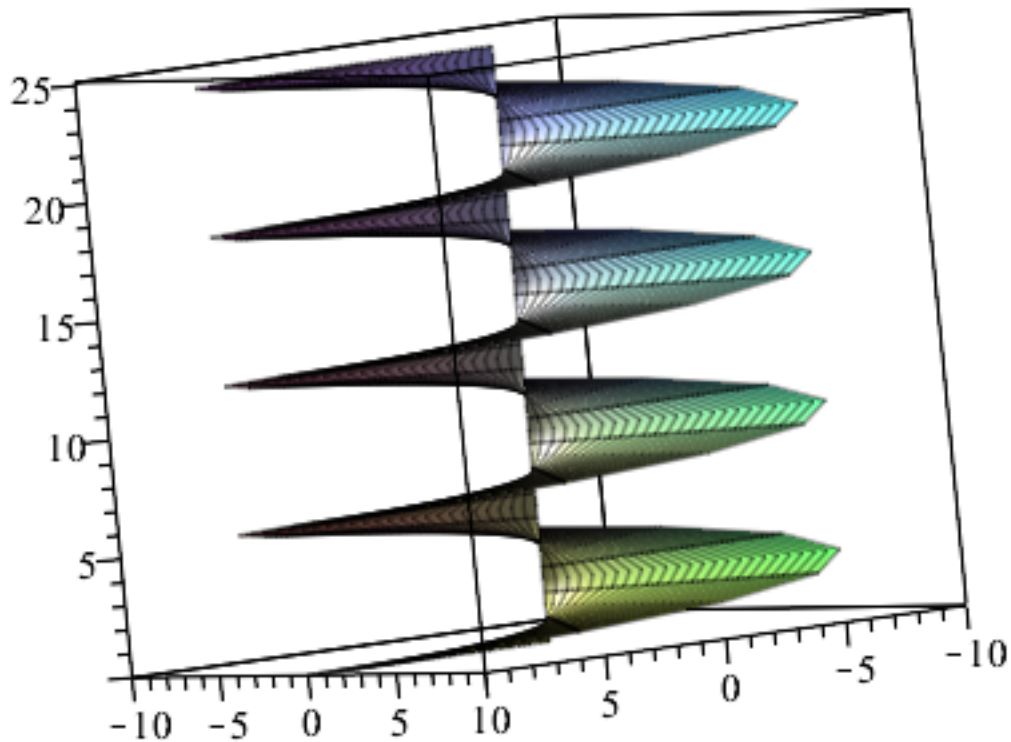
## Graphs for #s 13 - 18, Section 16.6

$$r13 := (u, v) \rightarrow \langle u \cdot \cos(v), u \cdot \sin(v), v \rangle$$

$$r13 := (u, v) \mapsto \langle u \cos(v), u \sin(v), v \rangle$$

(1.1)

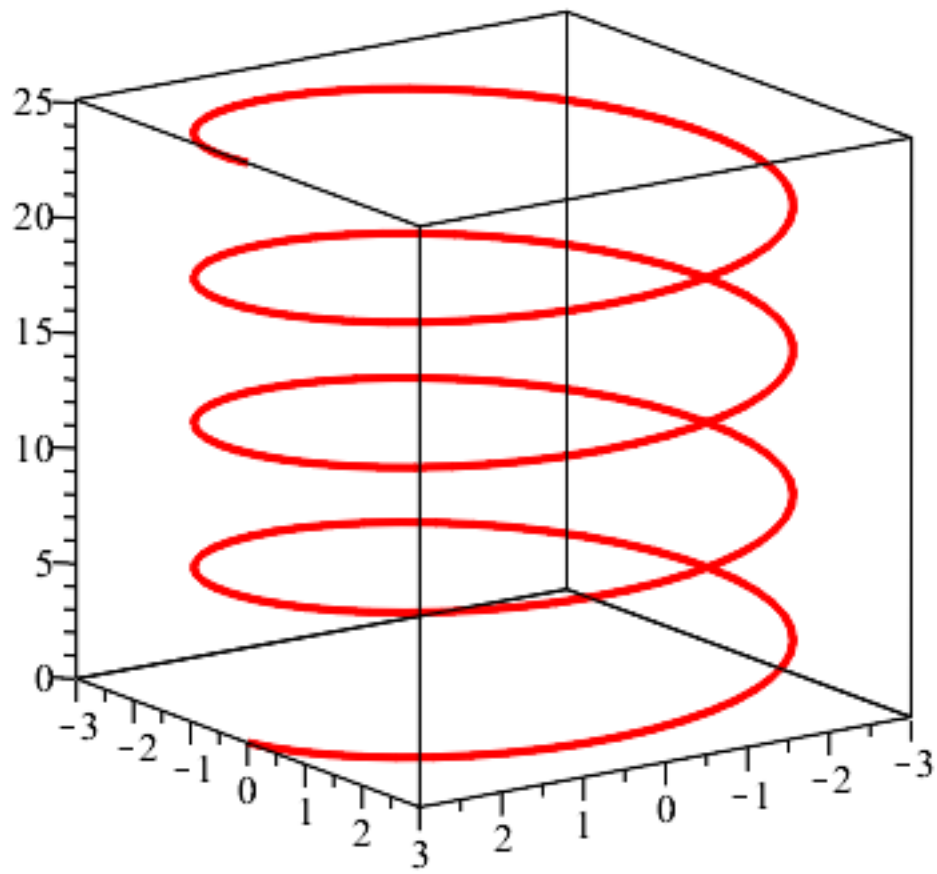
$$r13plot := plot3d(r13(u, v), u=0..10, v=0..8 \cdot \text{Pi})$$



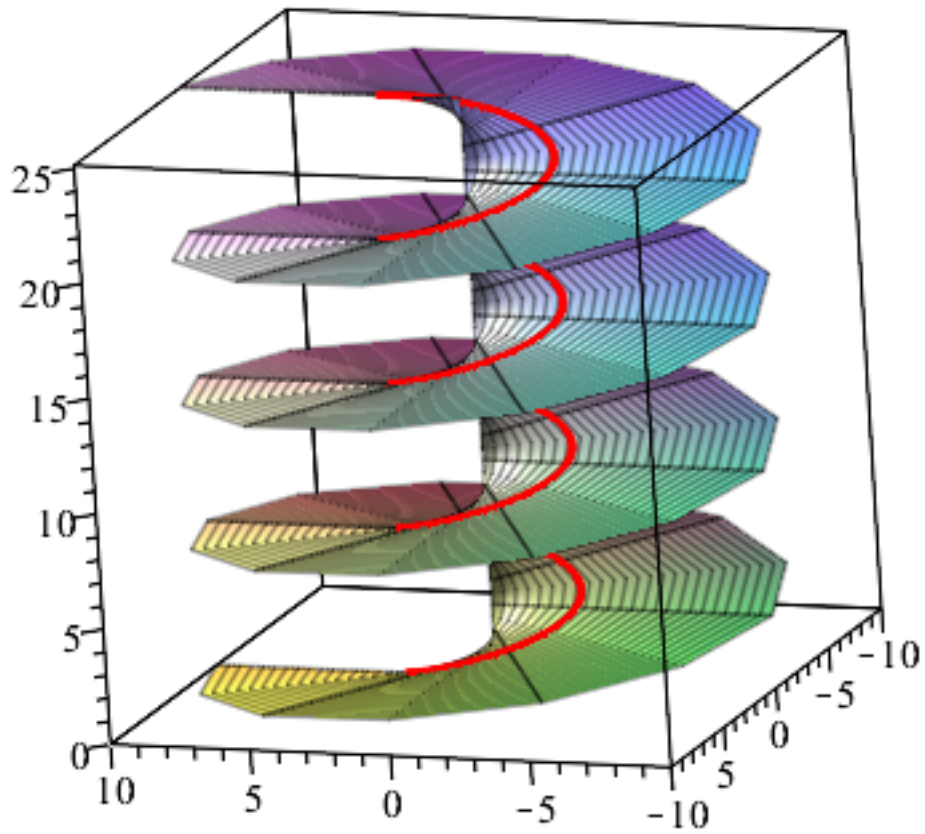
Plotting a grid curve for  $u = 3$ :

$uis3 :=$

$$uis3 := \text{SpaceCurve}(r13(3, v), v=0..8 \cdot \text{Pi}, \text{color} = \text{red}, \text{thickness} = 3)$$



*display(uis3, r13plot)*



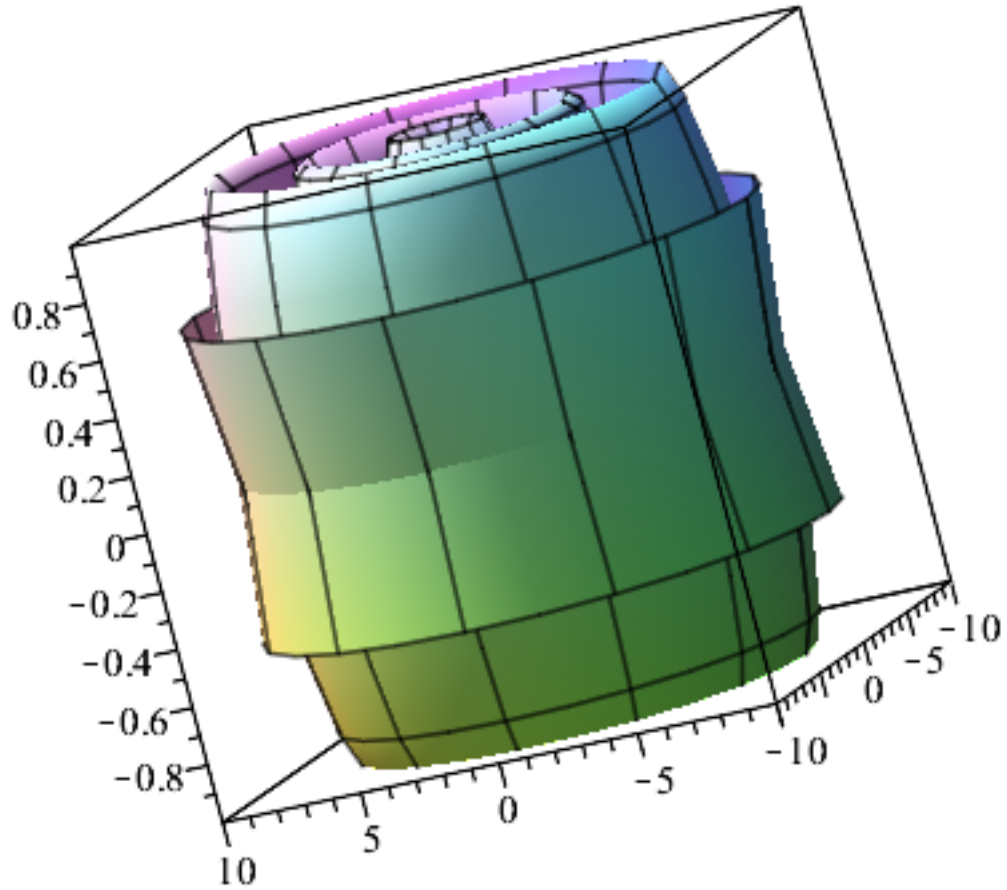
#14

$r14 := (u, v) \rightarrow \langle u \cdot \cos(v), u \cdot \sin(v), \sin(u) \rangle$

$r14 := (u, v) \mapsto \langle u \cos(v), u \sin(v), \sin(u) \rangle$

$plot3d(r14(u, v), u = -10 .. 10, v = 0 .. 4 \cdot \text{Pi})$

(1.2)



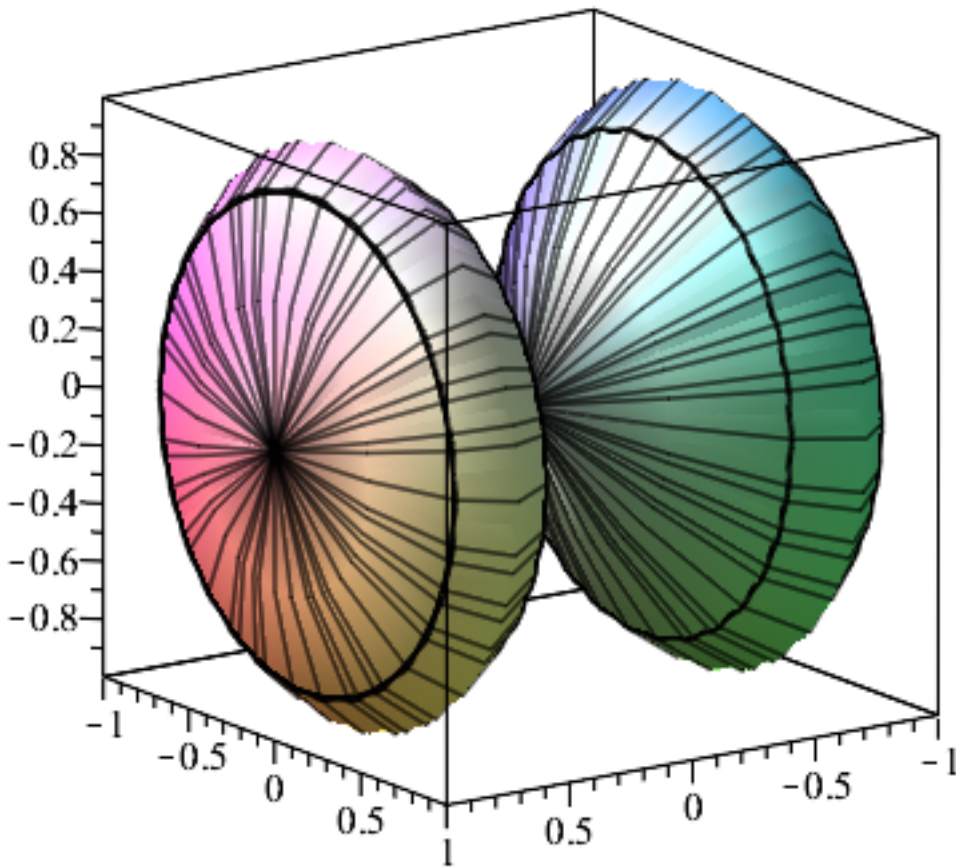
#15

$r15 := (u, v) \rightarrow \langle \sin(v), \cos(u) \cdot \sin(2 \cdot v), \sin(u) \cdot \sin(2 \cdot v) \rangle$

$r15 := (u, v) \mapsto \langle \sin(v), \cos(u) \sin(2 v), \sin(u) \sin(2 v) \rangle$

$plot3d(r15(u, v), u = -10 .. 10, v = 0 .. 4 \cdot \text{Pi})$

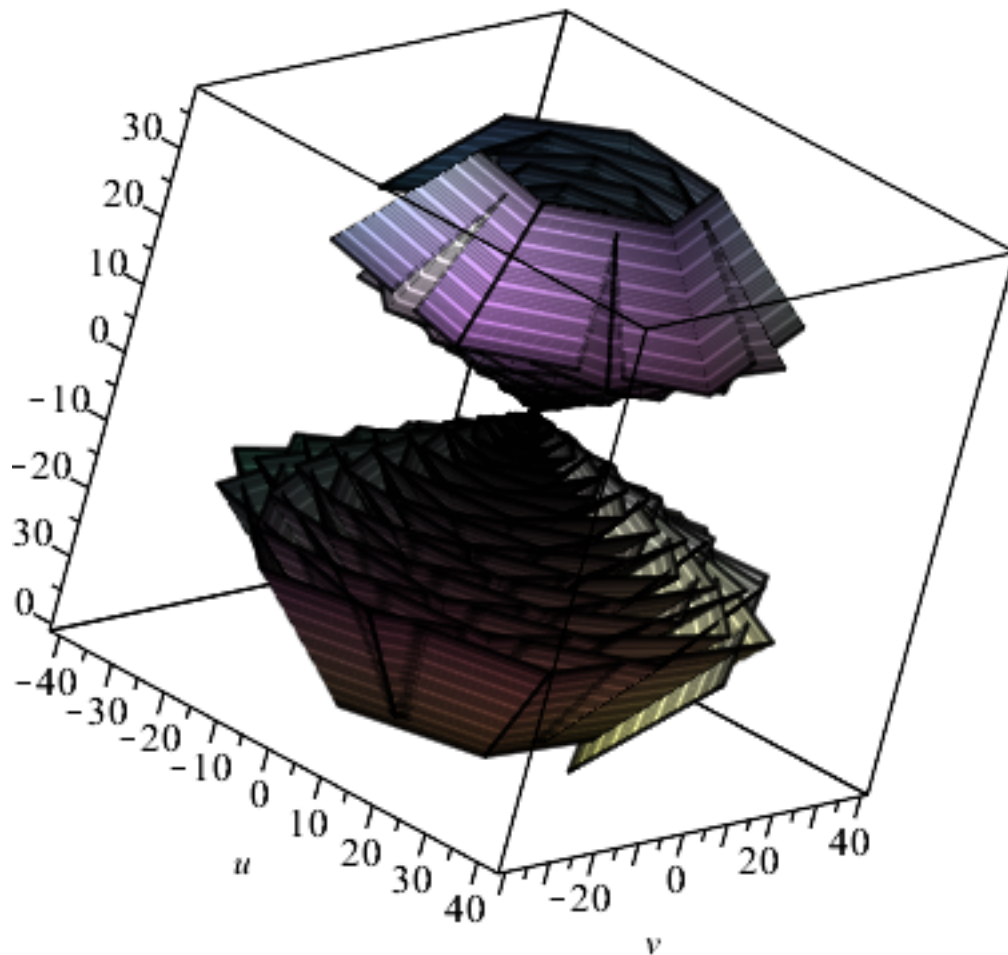
**(1.3)**



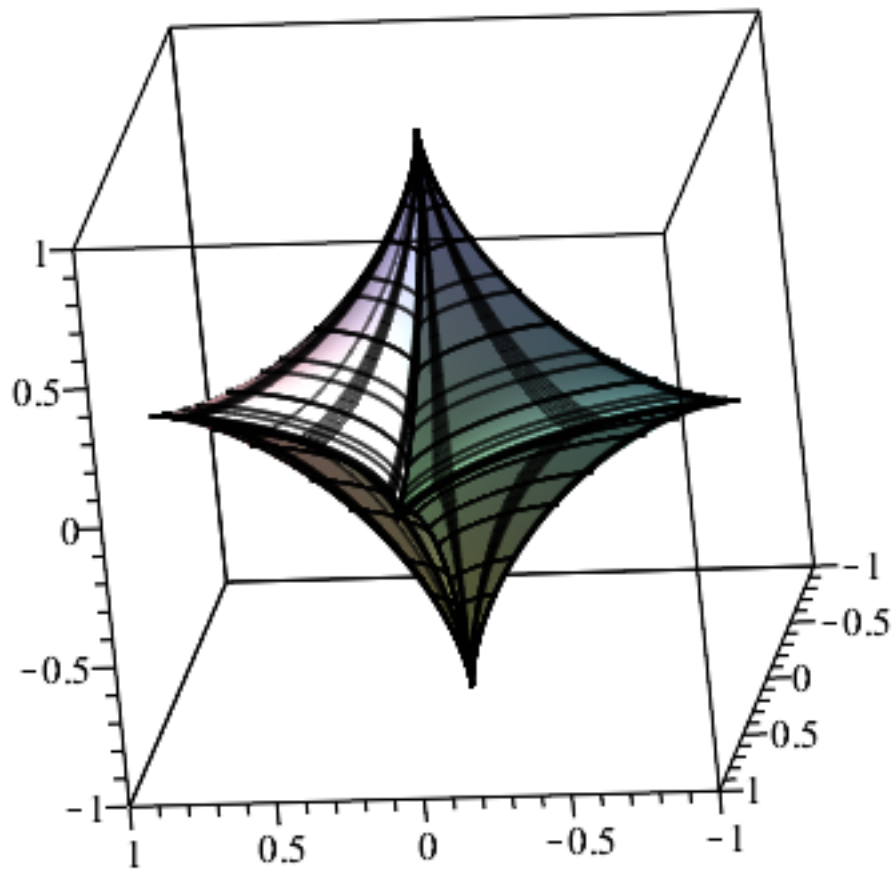
$r16 := (u, v) \rightarrow \langle (1 - u) \cdot (3 + \cos(v)) \cdot \cos(4 \cdot \text{Pi} \cdot u), (1 - u) \cdot (3 + \cos(v)) \cdot \sin(4 \cdot \text{Pi} \cdot u), 3 \cdot u + (1 - u) \cdot \cos(v) \rangle$

$r16 := (u, v) \mapsto \langle (1 + (-u)) (3 + \cos(v)) \cos(4 \pi u), (1 + (-u)) (3 + \cos(v)) \sin(4 \pi u), 3 u + (1 + (-u)) \cos(v) \rangle$  **(1.4)**

$\text{plot3d}(r16(u, v), u = -10 .. 10, v = 0 .. 4 \cdot \text{Pi}, \text{numpoints} = 50000)$



$$\begin{aligned}
 r17 &:= (u, v) \rightarrow \langle \cos(u)^3 \cdot \cos(v)^3, \sin(u)^3 \cdot \cos(v)^3, \sin(v)^3 \rangle \\
 r17 &:= (u, v) \mapsto \langle \cos(u)^3 \cos(v)^3, \sin(u)^3 \cos(v)^3, \sin(v)^3 \rangle \\
 \text{plot3d}(r17(u, v), u=-10..10, v=0..4 \cdot \text{Pi}, \text{numpoints} = 50000)
 \end{aligned}
 \tag{1.5}$$



### 16.8 #41

16.8 #41 Flux around the sides of the cylinder:

$$\int_0^1 \int_0^{2\pi} 2 \cdot z \cdot \cos(q) + 8 \cdot \sin(q)^2 \cdot \cos(q) \, dq \, dz$$

0

(2.1)