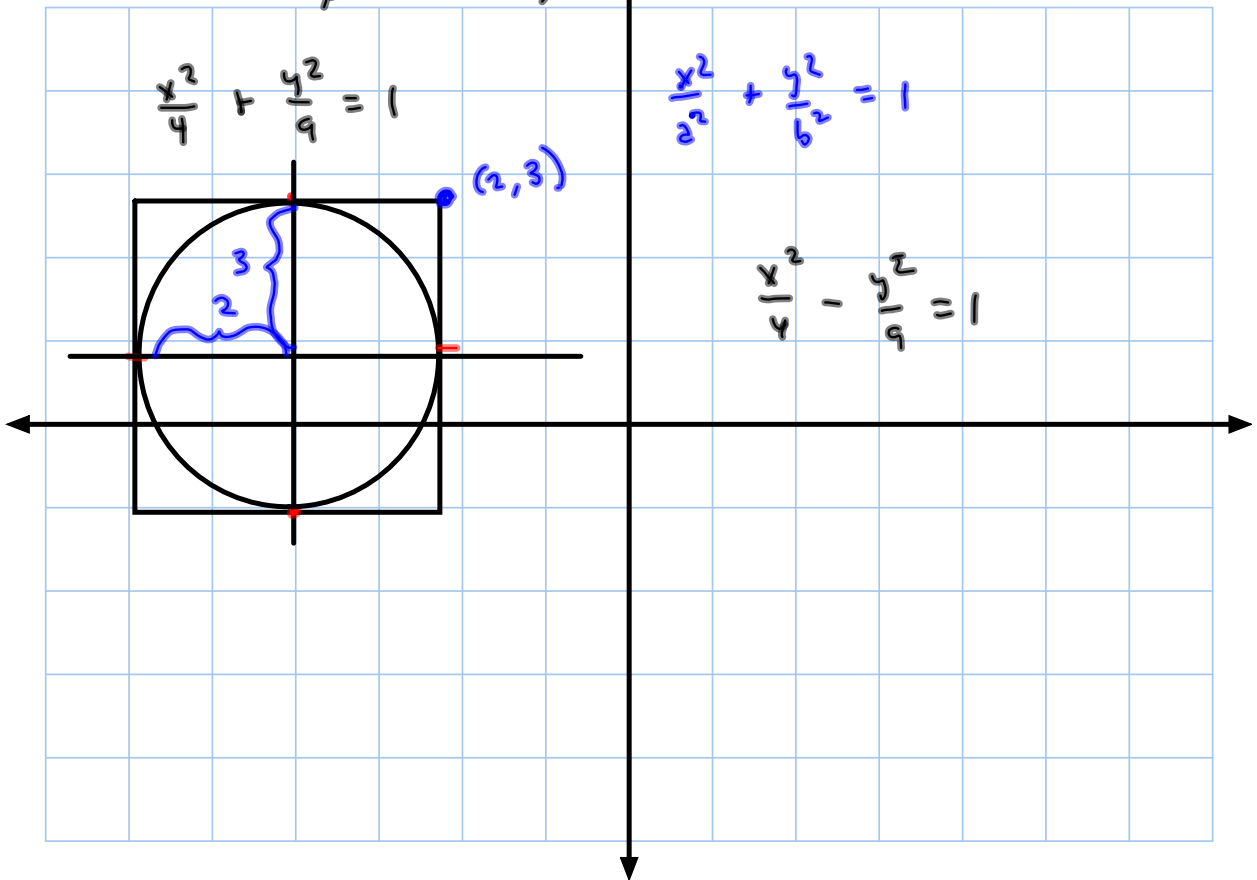
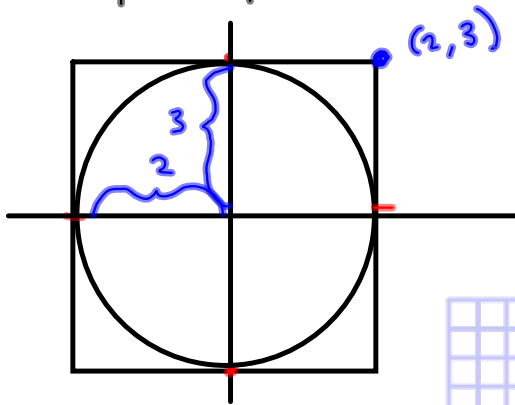


"Cylinders" & Quadric Surfaces



"Cylinders" & Quadric Surfaces

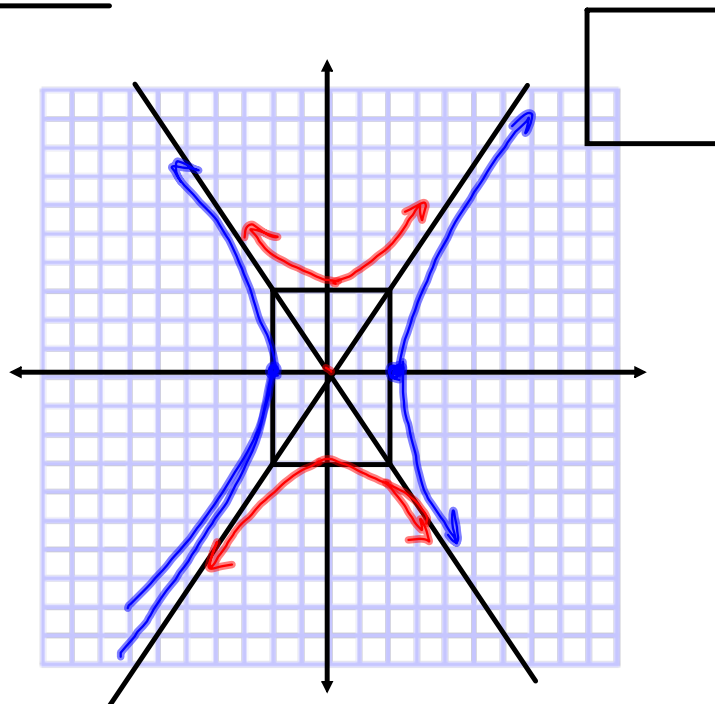
$$\frac{x^2}{4} + \frac{y^2}{9} = 1$$



$$\frac{x^2}{2^2} + \frac{y^2}{3^2} = 1$$

$$\frac{x^2}{4} - \frac{y^2}{9} = 1$$

$$\frac{y^2}{9} - \frac{x^2}{4} = 1$$

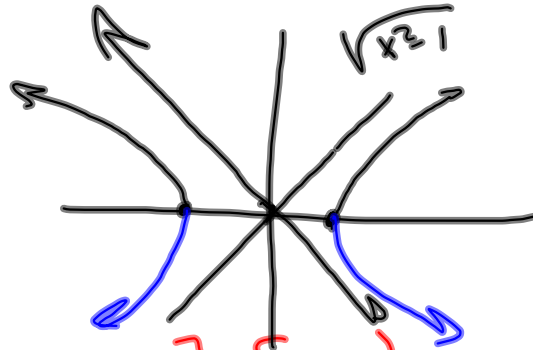
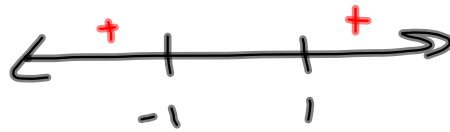


$$\begin{aligned} x^2 - y^2 &= 1 \\ -y^2 &= 1 - x^2 \\ y^2 &= x^2 - 1 \\ y &= \pm \sqrt{x^2 - 1} \end{aligned}$$

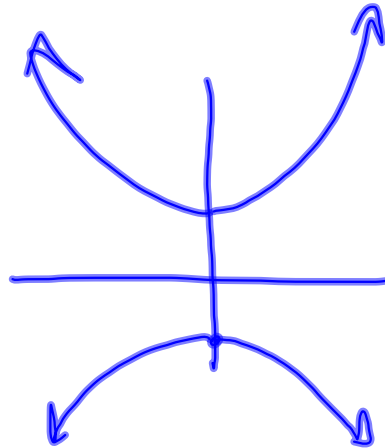
$-\sqrt{x^2-1}$

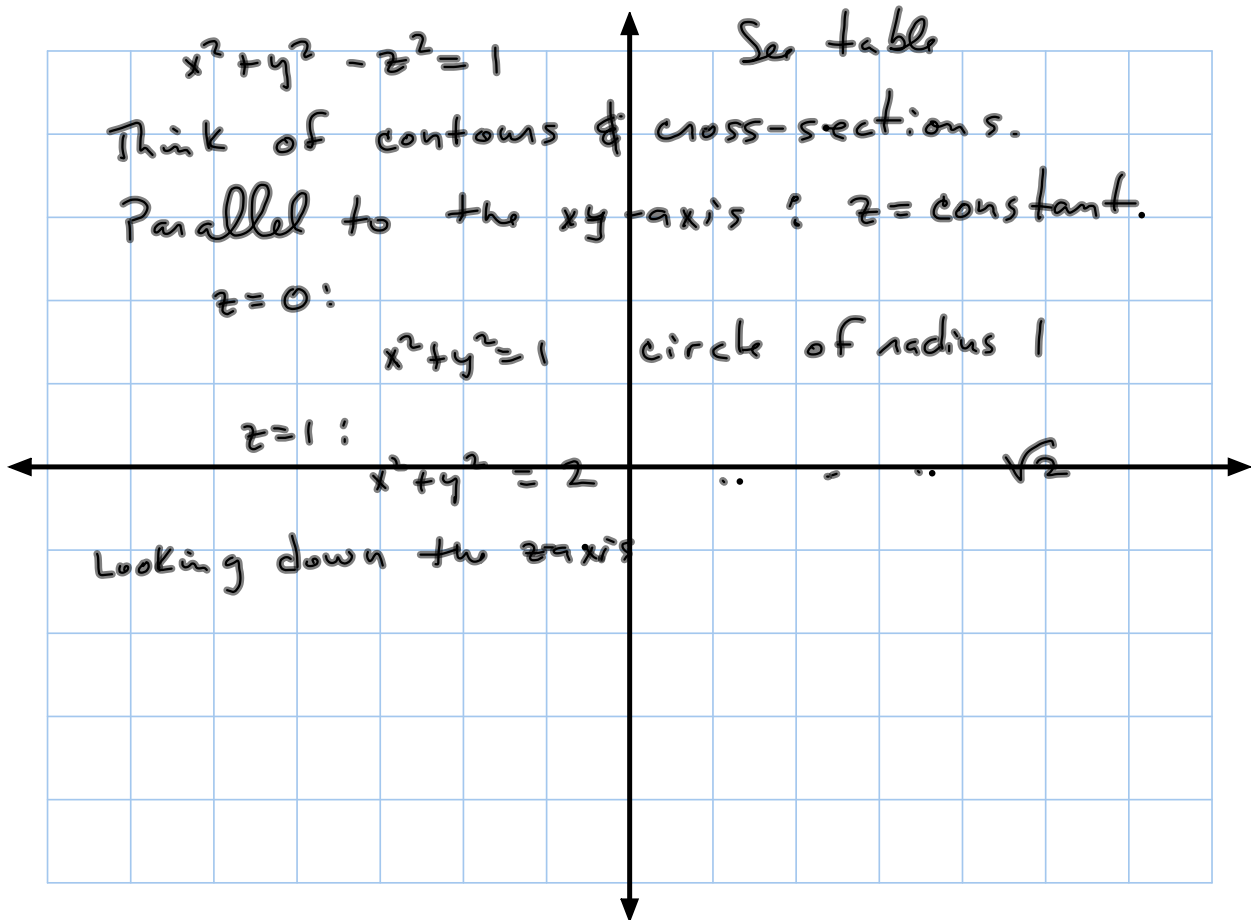
$\sqrt{x^2-1}$ $dx = (-\infty, -1] \cup [1, \infty)$

Need $x^2 - 1 \geq 0$
 $(x-1)(x+1) \geq 0$



$$\begin{aligned} y^2 - x^2 &= 1 \\ y^2 &= x^2 + 1 \\ y &= \pm \sqrt{x^2 + 1} \end{aligned}$$





$$x^2 + y^2 - z^2 = 1$$

See table

Think of contours & cross-sections.

Parallel to the xy -axis: $z = \text{constant}$.

$z = 0$:

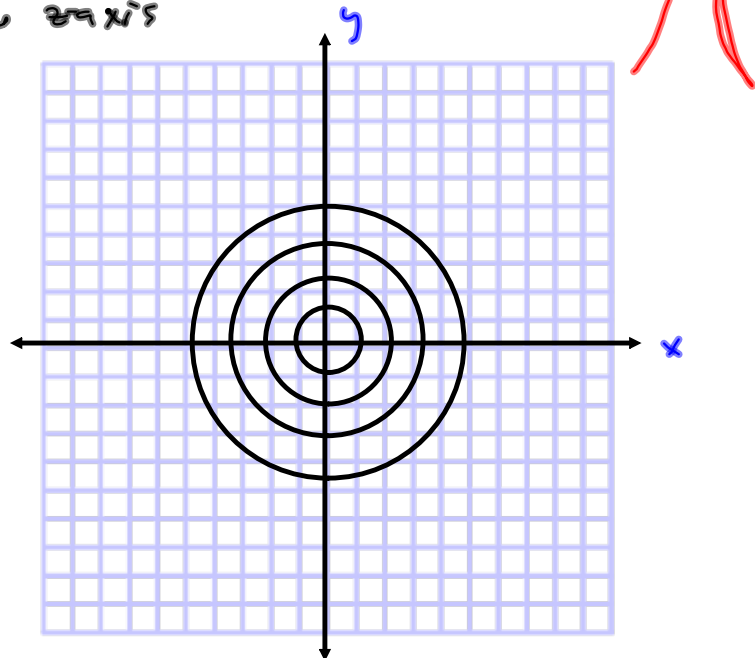
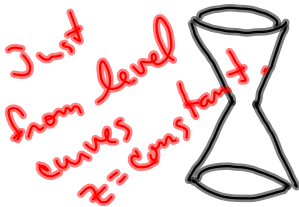
$x^2 + y^2 = 1$ circle of radius 1

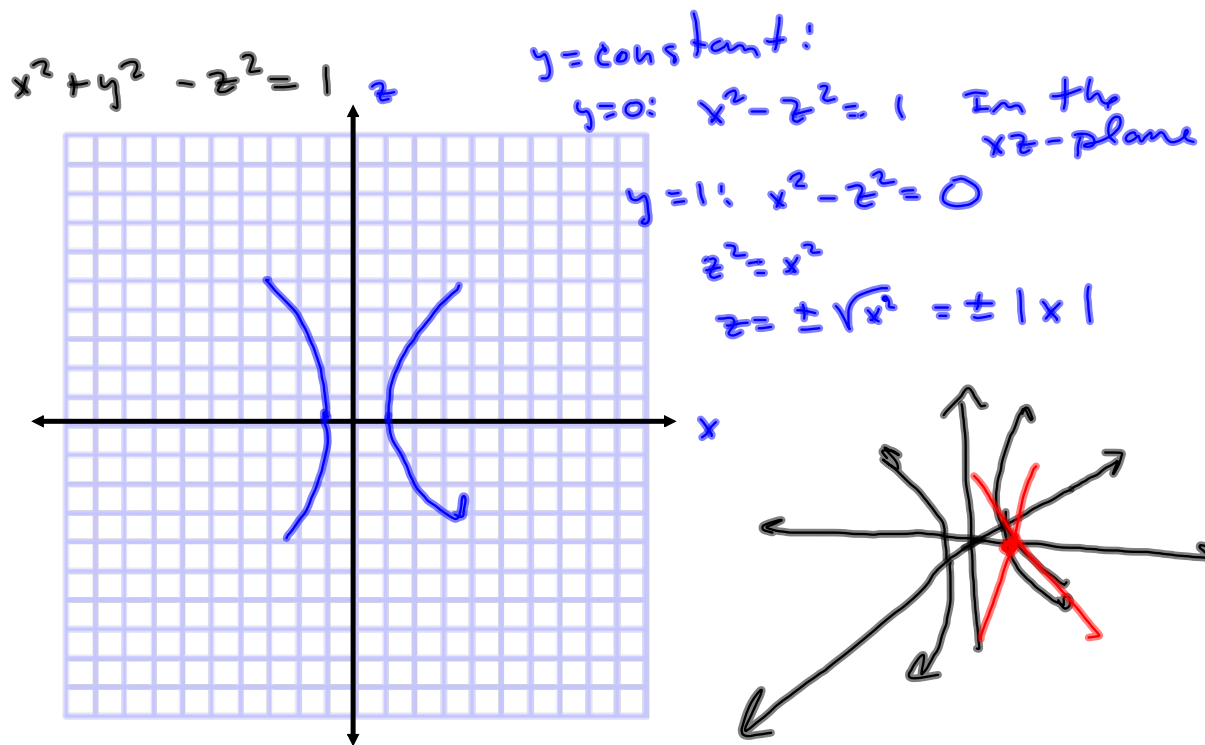
$z = 1$:

$x^2 + y^2 = 2 \dots - \dots \sqrt{2}$

Looking down the z -axis

$z = -1$: same as $z = 1$





Review of conics
 & seeing them as cross-sections
 of these quadric surfaces.

Trace in the xz -, xy -, yz -planes is
 important for later.

Practice with $x=k$ } Planes parallel
 $y=k$ } to the above.
 $z=k$ }

$x=0$: yz -plane
 $y=0$: xz -plane
 $z=0$: xy -plane.

Good practice for

TABLE 1 pg 844

See Matching questions

#21-28

SSS