

1. The function $f(x) = x^2 - 6x + 13$ is *not* 1-to-1, but there are two ways to restrict its domain to obtain a maximal domain on which f is 1-to-1. On each of these (two) domains, there *is* an inverse for f . I want you to find these two domains and the respective inverse functions. State the domain and range of f and f^{-1} for both domains. (You'll find a domain and for f and that will give you a particular f^{-1} and a corresponding domain and range. You'll use the *other* (maximal) domain and range and a corresponding domain and range for f^{-1} .)
2. Find the inverse of $f(x) = \frac{\sqrt{x}}{\sqrt{x-3}}$. Find the derivative, $(f^{-1})'(2)$ in 2 ways:
 - a. Directly, by computing f^{-1} and evaluating $(f^{-1})'(2)$.
 - b. Using Theorem 7.1.1 (Theorem 1, in Section 7.1)
3. Let $f(x) = x^3 - 4x^2 - 7x + 13$. The function f is 1-to-1, if you restrict its domain to the interval $[-1, 3]$, so it *does* have an inverse f^{-1} over that interval. What I want you to do is find $(f^{-1})'(3)$.
4. Express $\ln(35) + \frac{\ln\left(\frac{1}{7}\right)}{\ln(25)}$ in terms of $\ln(5)$ and $\ln(7)$.
5. Differentiate with respect to the given independent variable:
 - a. $\ln(\sec(x) + \tan(x))$. (What does this tell you about $\int \sec(x)dx$?)
 - b. $\ln(x^3)$
 - c. $(\ln(x))^3$
 - d. $\ln\left(\frac{x^3 - 17x}{5x^2 + 27}\right)$
6. Use logarithmic differentiation to find the derivative.
 - a. $\frac{d}{d\theta} \left[\sqrt{\frac{\theta}{\theta+1}} \right]$ (And you BETTER do it better than I did, in class!)
 - b. $\frac{d}{dx} \left[\sqrt[7]{\frac{x(x+1)(x-2)}{(x^2+1)(2x+3)}} \right]$