

$$(a) m=4 \quad \rightarrow \quad y=4x+b$$

$$(b) f(4)=1$$

$$y = m(x-4) + 1 \\ = mx - 4m + 1$$

$$y-1 = m(x-4) = mx - 4m \\ \Rightarrow y = mx - 4m + 1$$

$$(c) mx - 4m + 1 = 4x + b$$

Want $m=4$, so

$$= 4x - 4(4) + 1$$

$$= 4x - 15 \text{ to be in this family}$$

My version: $m=2$ in (a)

$$(b) y = mx - 2m + 1$$

$$(c) m=2 \Rightarrow y = 2x - 4 + 1 = 2x - 3$$

$$y = 3\sqrt{x+3}$$

$x \rightarrow x-3$
 $y \rightarrow 3y$

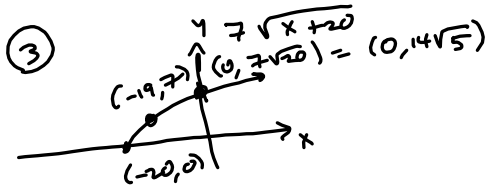
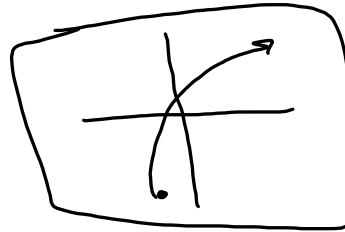
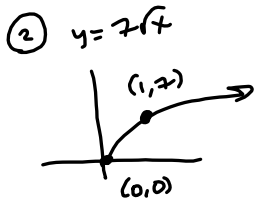
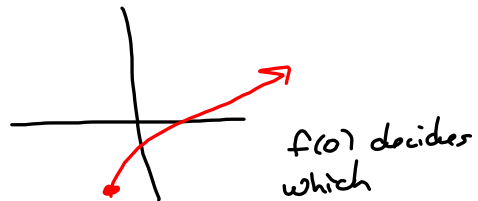
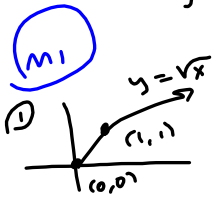
Methods of graphing by transforming:

- M1**
- ① $af(x)$
 - ② $af(x-c)$
 - ③ $af(bx-c)$
 - ④ $af(bx-c) + d$

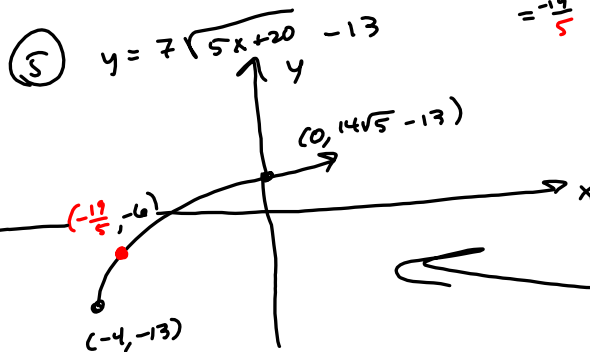
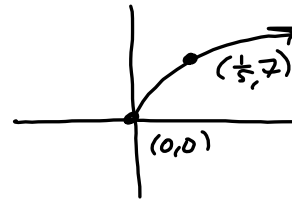
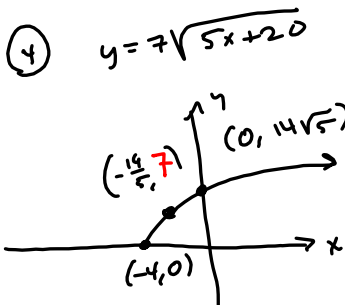
- M2**
- ① $ef(x)$
 - ② $af(bx)$
 - ③ $af(b(x-\frac{c}{b}))$
 - ④ $af(b(x-\frac{c}{b})) + d$

To graph $af(bx-c) + d$ from $y=f(x)$.

Graph: $y = 7\sqrt{5x+20} - 13 = 7\sqrt{5(x+4)} - 13 = f(x)$



- M2** ①, ② Same
- ③ $y = 7\sqrt{5x}$



④ $5x+20 = 5(x+4)$
 $7\sqrt{5(x+4)}$

$\frac{1}{5} - 4 = \frac{1-20}{5} = -\frac{19}{5}$

⑤ $y = 7\sqrt{5x+20} - 13$

Same as this

S1.2
#11

(70, 113)

(80, 183)

Let $x = \text{temp } (^{\circ}\text{F})$

& $y = \# \text{ of chirps per minute}$

$$m = \frac{y_2 - y_1}{x_2 - x_1} = \frac{183 - 113}{80 - 70} = \frac{70}{10} = 7 = m$$

$$y = 7(x - 70) + 113$$

$$= 7x - 490 + 113$$

$$= 7x - 377$$

No, silly! They're trying to model temp as a function of the # of cricket chirps per minute!

(113, 70)

(183, 80)

Let $N = \# \text{ of cricket chirps per minute}$

$T = \text{Temp } (^{\circ}\text{F}) \text{ as a function of } N \quad (T = T(N))$

Lexicon

List variables

and their units.

OR

(s) $T = \text{Temp } (^{\circ}\text{F}) \text{ as a function of}$

(x) $N = \# \text{ of cricket chirps per minute}$

OUTPUT
Dependent
variable
INDEPENDENT
variable INPUT

$$\frac{y_2 - y_1}{x_2 - x_1} = \frac{T_2 - T_1}{N_2 - N_1} = \frac{80 - 70}{183 - 113} = \frac{10}{70} = \frac{1}{7}$$

$$T = \frac{1}{7}(N - 113) + 70$$

$$= \frac{N}{7} - \frac{113}{7} + 70 \left(\frac{7}{7}\right)$$

$$= \frac{N}{7} - \frac{113}{7} + \frac{490}{7} = \frac{N}{7} + \frac{377}{7}$$

$$7 \overline{) 113}$$