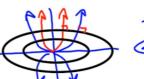
Two curves are orthogonal if their tangent lines are perpendicular at each point of intersection. Are the given families of curves orthogonal trajectories of each other? That is, is every curve in one family orthogonal to every curve in the other

16

$$y = cx^2, x^2 + 2y^2 = k$$

es, the given families of curves are orthogonal trajectories.

No, the given families of curves are not orthogonal trajectories.



Sketch both families of curves on the same axes.

$$x^{2}+2y^{2}=K$$
 $2x+4yy'=0$

$$y'=-\frac{2y}{4y}=-\frac{x}{2y}=\pm \sqrt{\frac{K-x^{2}}{2}}$$
 No

The WebAssign "Watch It" is much better than my treatment.

I left out looking for the slope when the curves intersect. They occur when $y = cx^2$ Substitute cx^2 for y in the equation $y' = -x/(2y) = -x/(2(cx^2)) =$

 $y' = -\frac{2x}{4(cx^2)} = \frac{1}{2cx} - \frac{1}{2cx} = \frac{1}{2cx}$ That means they're perpendicular whenever they intersect, which is a crazy cool result. $y' = -\frac{2x}{4(cx^2)} = \frac{1}{2cx} - \frac{1}{2cx} = \frac{1}{2cx}$ That means they're perpendicular whenever they intersect, which is a crazy cool result.

2.8 Related Rates

- **2.** (a) If A is the area of a circle with radius r and the circle expands as time passes, find dA/dt in terms of dr/dt.
 - (b) Suppose oil spills from a ruptured tanker and spreads in a circular pattern. If the radius of the oil spill increases at a constant rate of 1 m/s, how fast is the area of the spill increasing when the radius is 30 m?

(b)
$$\frac{dA}{dt} = 2\pi r \cdot \frac{dr}{dt} = \frac{dA}{dt} \cdot \frac{dr}$$

Falling Body, by Newton

L(t) = height of a body in Gree full, where

t = time, in creands. Then

$$h(t) = -\frac{1}{2}gt^{2} + v_{0}t + h_{0}$$
, where

 $v_{0} = u_{0}t$ we height

 $v_{0} = u_{0}t$ where

 $v_{0} = u_{0}t$ we height

 $v_{0} = u_{0}t$ where

 $v_{0} = u_{0}t$ we have $v_{0} = u_{0}t$ in the model.

The contribution of

 $v_{0} = u_{0}t$ was the regarding often the gravity term

 $v_{0} = u_{0}t$ where

 $v_{0} = u_{0}t$ and

 $v_{0} = u_{0}t$ where

 $v_{0} = u_{0}t$ is the model!

