with(plots): Section 1.2 #22 WebAssign (Just-in-Time #6)  $p := x \rightarrow x^2 - 0.012 \cdot x - 0.065$   $p := x \mapsto x^2 + (-1) \ 0.012 \ x - 0.065$  (1) solve(p(x) = 0)

$$0.2610215677, -0.2490215677$$
 (2)

 $\sqrt{260144}$ 

$$4\sqrt{16259}$$
 (3)

(4)

evalf(sqrt(16259))

## 127.5107839

Section 1.5 #18 - Important example, related to "topologist's sine curve," which is one of the key functions for illustrating some of the subtleties of limits, continuity, and differentiability.



Damped curve has a limit of zero at x = 0. It can be made continuous by defining it to be zero at x = 0.

$$g := x \to x \cdot \sin\left(\frac{P_1}{x}\right)$$

$$g := x \mapsto x \sin\left(\frac{\pi}{x}\right)$$

$$plot(g(x), x = -3..3)$$
(6)



plot([g(x), x, -x], x = -3..3, color = [black, red, red], thickness = 2)



Another damped sine curve. This one is nice, because you can make it differentiable, because of the damping.

$$h := x \to x^2 \cdot \sin\left(\frac{\mathrm{Pi}}{x}\right)$$

$$h := x \mapsto x^2 \sin\left(\frac{\pi}{x}\right)$$
(7)

plot(h(x), x = -3..3)



 $plot([h(x), x^2, -x^2], x = -3..3, color = [black, red, red], thickness = 2)$ 



[>