

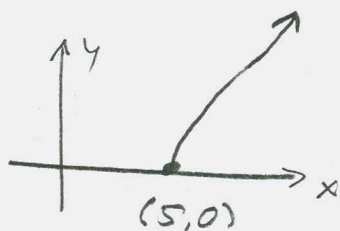
20. $5^{1.4} \approx 5, 1, 3, 15, 22, 25, 26, 35$

① Use calculator to determine which viewing rectangle produces the most appropriate graph of $f(x) = \sqrt{x^3 - 5x^2} = |x| \sqrt{x-5}$

(a) $[-5, 5] \times [-5, 5]$ misses entire graph.

(b) $[0, 10] \times [0, 2]$ misses entire graph

(c) $[0, 10] \times [0, 10]$ is best, since $D = [5, \infty)$



③ Sketch the graph: Give viewing rectangle.

$$f(x) = -x^2 + 20x + 5$$

Scratch:

$$= -(x^2 - 20x + 10^2 - 10^2) + 5$$

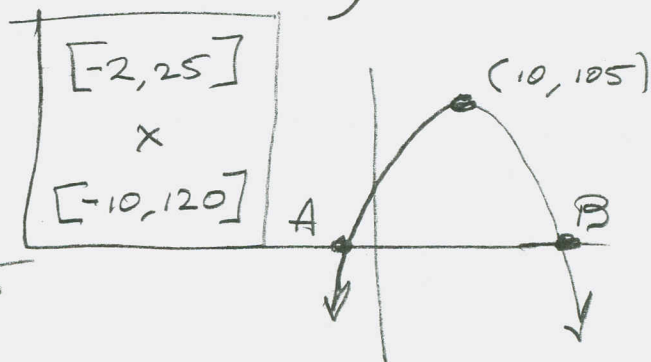
$$= -(x^2 - 20x + 10^2) - (-10^2) + 5$$

$$= -(x-10)^2 + 100 + 5$$

$$= -(x-10)^2 + 105 \stackrel{SE}{=} 0$$

$$x-10 = \pm \sqrt{105}$$

$$x = 10 \pm \sqrt{105}$$



$$A = (10 - \sqrt{105}, 0)$$

$$\approx (-.2470, 0)$$

$$B = (10 + \sqrt{105}, 0)$$

$$\approx (20.2470, 0)$$

$$\begin{array}{r} 3 \overline{)105} \\ 5 \overline{)35} \\ 7 \end{array}$$

201 §1.4 #s 15, 22, 25, 26, 35

- (15) Graph $4x^2 + 2y^2 = 1$ by graphing its top & bottom halves as functions:

$$4x^2 + 2y^2 = 1$$

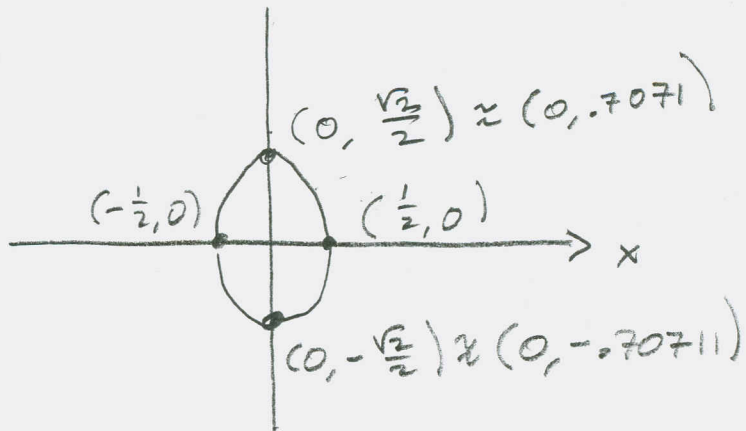
$$2y^2 = -4x^2 + 1$$

$$y^2 = \frac{1}{2} - 2x^2$$

$$y = \pm \sqrt{\frac{1}{2} - 2x^2}$$

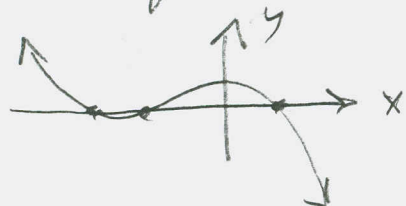
$$y = \sqrt{\frac{1}{2} - 2x^2} \quad \text{is top}$$

$$y = -\sqrt{\frac{1}{2} - 2x^2} \quad \text{is bottom}$$



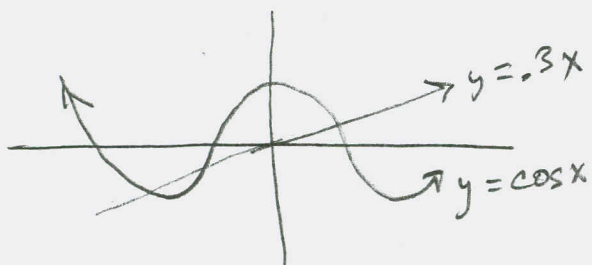
- (22) $\cos x = x$ has one soln (See E9).

(a) Use grapher to show $\cos x = .3x$ has three.



$[-4.89, 2.34] \times [-1.29, 1.29]$

Graph of $\cos x - .3x$ has 3 x-intercepts.



Same window.

Graph of $\cos x$ & $.3x$ separately.

This picture shows that somewhere between $y = x$ & $y = .3x$, there's one that just

201 S1.4 #s 22, 25, 26, 35

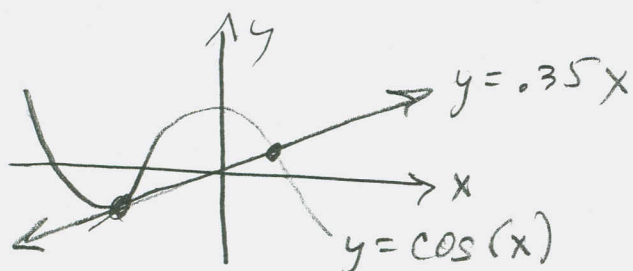
(22) cont'd

... grazes (is tangent to) $\cos(x)$ in the 3rd quadrant.

.5x too steep

.4x " "

.35x has 2 solutions. Looks damn close, with this graph:



(25) For what values of x is it true that

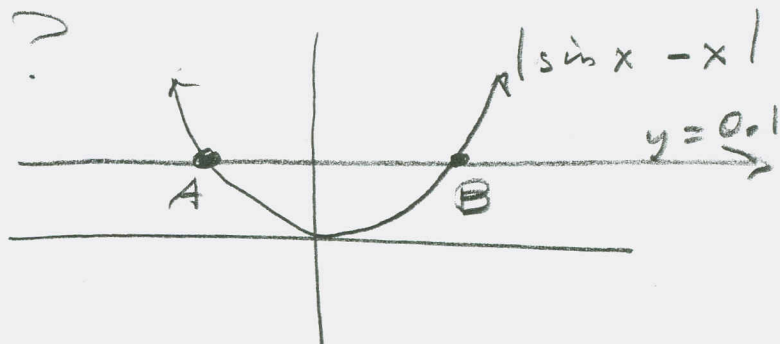
$$|\sin x - x| < 0.1?$$

$$[-5, 5] \times [-1, 1]$$

$$A \approx (-.85375, .1)$$

$$B \approx (.85375, .1)$$

I'd choose $x \in (-.85375, .85375)$



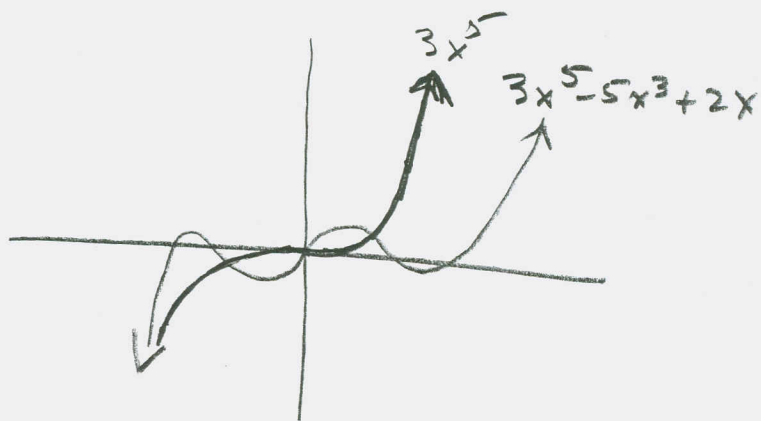
(26) We graph $3x^5 - 5x^3 + 2x$ and $3x^5$ on same screen and make observations for the given viewing rectangles

201 § 1.4 #5 26, 35

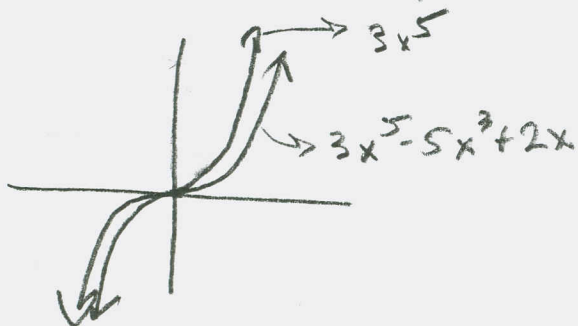
(26) cont'd

$$[-2, 2] \times [-2, 2]$$

They appear quite different. $3x^3$ only has $(0,0)$ as x-intercept.

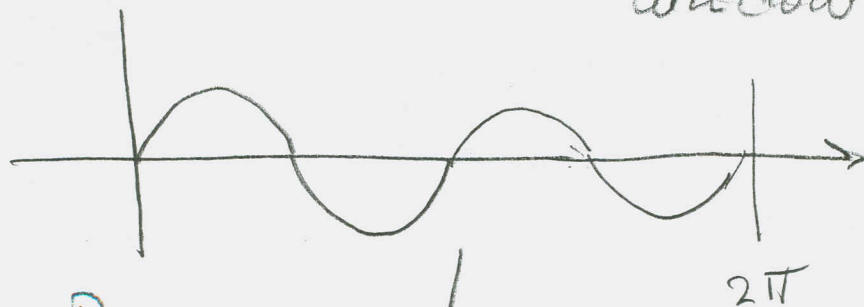


$[-10, 10] \times [-10000, 10000]$ I expect them to look almost identical. We lose the finer features that appear in the 1st graph



$3x^5$ is the "taller" one (un-slowed by $-5x^3$ -term)

(35) What's going on when $\sin(96x)$ looks just like $\sin(2x)$? in $[0, 2\pi] \times [-1.2, 1.2]$ window?



It's PIXELATED!