

Test 4 Questions?

Most of you haven't taken the test yet.

I'm (not) deeply disappointed.

I'm giving a mini-lecture to folks who are ready for 6.6, with Test 4 done.

Most of you need to focus on and complete Test 4.

6.6 #6

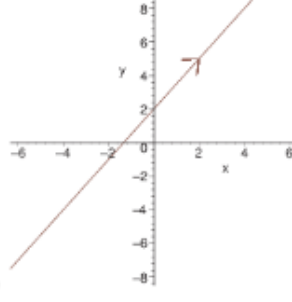
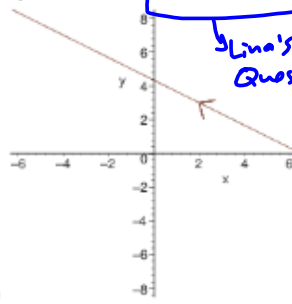
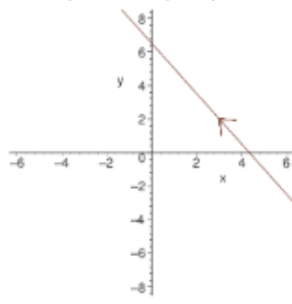
Consider the following.

$$x = 3 - 2t \Rightarrow x - 3 = -2t \Rightarrow t = \frac{x-3}{-2} = \frac{-3+x}{2}$$

$$y = 2 + 3t \Rightarrow y = 2 + 3\left(\frac{-3+x}{2}\right) = 2 - \frac{9}{2} + \frac{3x}{2} = \frac{3x}{2} - \frac{5}{2} = y$$

Didn't change sign on top. $\rightarrow \frac{3-x}{2}$

(a) Sketch the curve represented by the parametric equations (indicate the orientation of the curve).



t	x	y
0	3	2
1	1	5

Wrong direction.

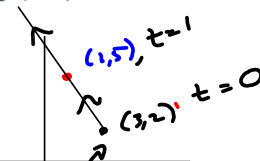
$(1, 5)$ $t=1$

$(3, 2)$ $t=0$

(b) Eliminate the parameter and write the resulting rectangular equation whose graph represents the curve.

$y = \frac{13}{2} - \frac{3x}{2}$

Adjust the domain of the rectangular equation, if necessary.



Still haven't fixed this. Found mistake $\frac{3-x}{2}$, not $\frac{-3+x}{2}$ at the top.

No stated or physical reason to start @ $t=0$, although quite common.

Tricks für 6.6

$$\cos^2 \theta + \sin^2 \theta = 1$$

$$x = 3 \cos \theta + 1$$

$$y = 2 \sin \theta + 11$$

Am ellipse! (?)

$$\rightarrow x - 1 = 3 \cos \theta$$

$$\frac{x-1}{3} = \cos \theta$$

$$\rightarrow y - 11 = 2 \sin \theta$$

$$\frac{y-11}{2} = \sin \theta$$

$$\rightarrow \left(\frac{x-1}{3}\right)^2 + \left(\frac{y-11}{2}\right)^2 = 1$$

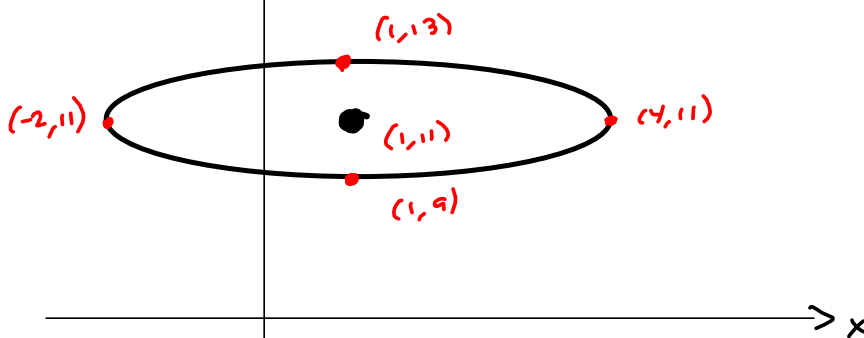
$$\frac{(x-1)^2}{3^2} + \frac{(y-11)^2}{2^2} = 1$$

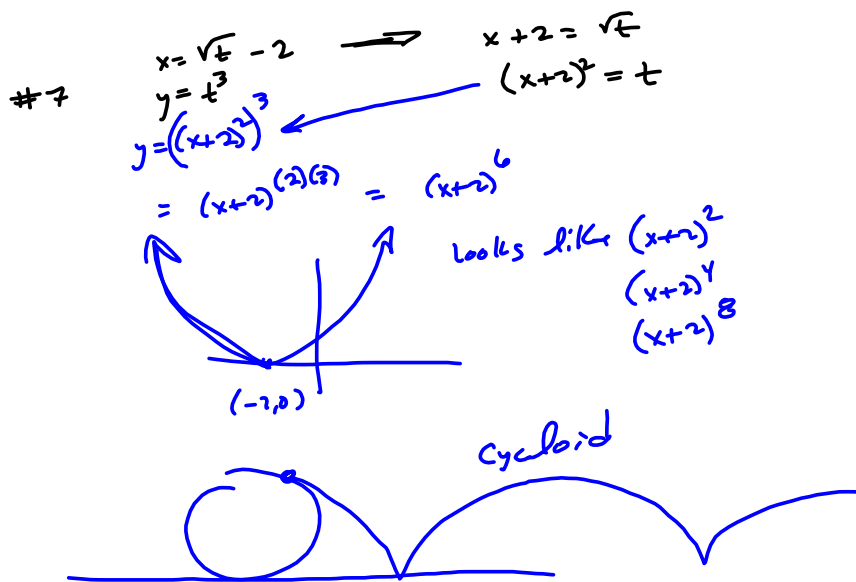
Ellipse!

$$(h, k) = (1, 11)$$

$$a = 3$$

$$b = 2$$



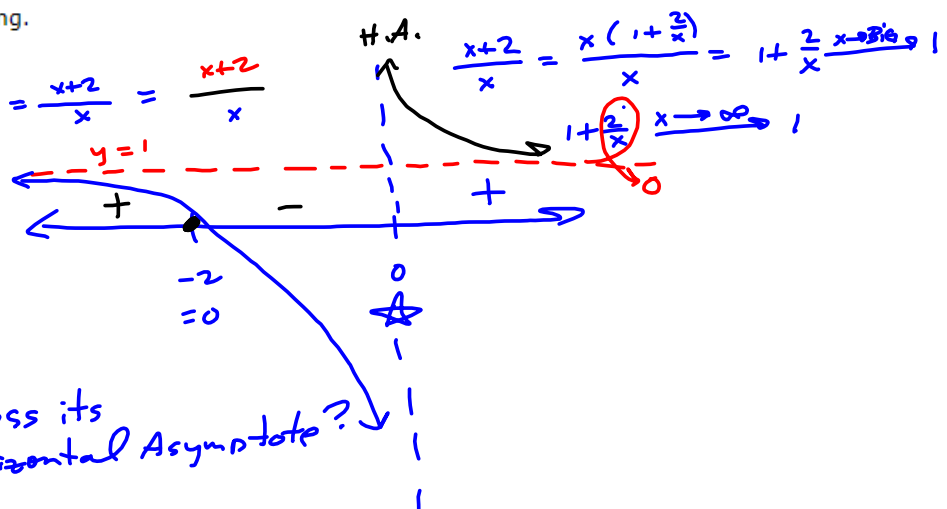


8. + 0/3 points

Consider the following.

$$x = t - 2$$

$$y = \frac{t}{t-2} = \frac{x+2}{x} = \frac{x+2}{x}$$



Does it cross its
H.A. = Horizontal Asymptote?

$$\frac{x+2}{x} = 1 \rightarrow$$

$$\frac{x+2}{x} - 1 \cdot \frac{x}{x} = \frac{x+2-x}{x} = \frac{2}{x} = 0 \text{ ?!}$$

$$2 = 0 \text{ ?!}$$

un-possible

Doesn't
cross its
H.A.

$$y = e^{3t} = (e^3)^t = (e^t)^3 = x^3$$

if $x = e^t$ is given.

$y = x^3$, with some restrictions,
 since $x = e^t > 0 \forall t$
 ↑
 for all / each / every

"e" = the "natural" exponential
 function

It's the unique base such that its height is
 equal to its slope.

b^x is proportional to its slope



If you know how
 tall it is, you know
 how steep it is.

$$y = a(x-h)^2 + k \quad \text{parabola}$$

$(h, k) = \text{vertex}$

