

$$3.7 \cos(4.8x - 11.2) - 14.7$$

Round all calculations to one decimal place

midline:  $y = -14.7$

$A = 3.7$

$\begin{array}{r} -14.7 \\ -3.7 \\ \hline -18.4 \end{array}$ <p>Low = -18.4</p>	$\begin{array}{r} -14.7 \\ +3.7 \\ \hline -11.0 \end{array}$ <p>High = -11.0</p>
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$b x = 2\pi$

tan/cot

$4.8 x = 2\pi$

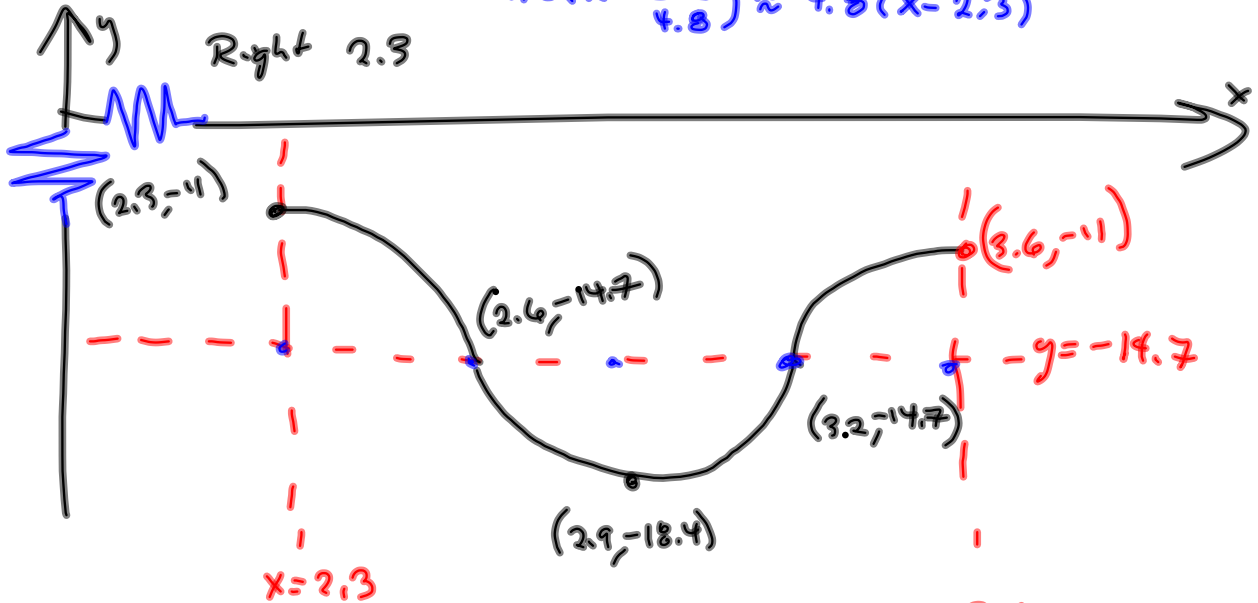
$b x = \pi$

$x = \frac{2\pi}{4.8} = T \approx 1.3$

$\frac{1.3}{4} = .325 \approx .3 = \frac{1}{4}$  of a period.

Shift:  $4.8x - 11.2 = 4.8(x - \frac{11.2}{4.8}) \approx 4.8(x - 2.3)$

Right 2.3



Some discrepancy  
between 3.2 & 3.6  
because we rounded  
.325 to .3.

$2.3 + 1.3$

Find 2 angles coterminal with

$\theta = \frac{34\pi}{3}$ . Give exact answers, one neg., one pos.

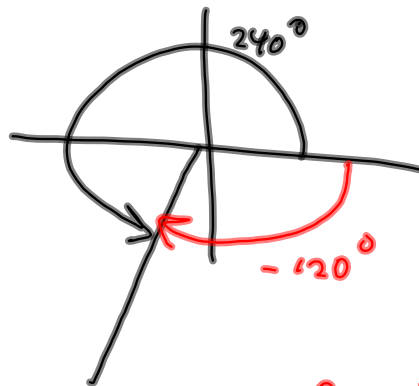
$$-2\pi < x < 2\pi \quad (-360^\circ < x < 360^\circ)$$

$$\frac{34\pi}{3} \cdot \frac{60}{180} = 2040$$

$$\frac{2040}{360} = 5.\bar{6}$$

$$5 \times 360 = 1800$$

$$\begin{array}{r} 2040 \\ - 1800 \\ \hline 240 \end{array}$$



$$x = -120^\circ, 240^\circ \text{ OR}$$

$$x = \frac{4\pi}{3}, -\frac{2\pi}{3}$$

$$(240) \left( \frac{\pi}{180} \right) = \frac{4\pi}{3}$$

$$(-120) \left( \frac{\pi}{180} \right) = -\frac{2\pi}{3}$$

→ 240 is 2040 mod 360

modulo

= 240 is the remainder when 2040

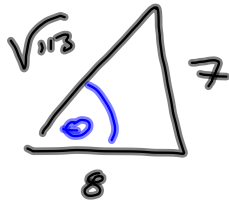
is divided by 360.

Remainders are huge in higher algebra.

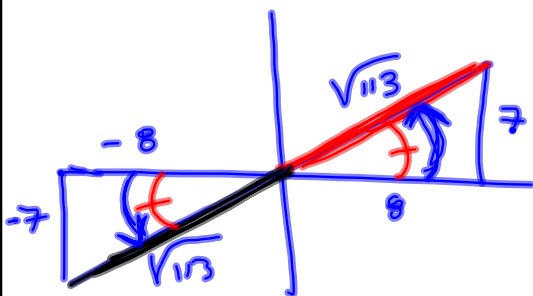
Assume  $\theta$  is in 1<sup>st</sup> quadrant and  
 $\tan \theta = \frac{7}{8}$ . Find the values of the other  
 5 trig funcs.

$$\sin \theta = \frac{7}{\sqrt{113}}$$

$$\cos \theta = \frac{8}{\sqrt{113}}$$



Assume  $\theta$  is any angle between  $0 \in \theta < 2\pi$ .  
 Draw the two pictures.



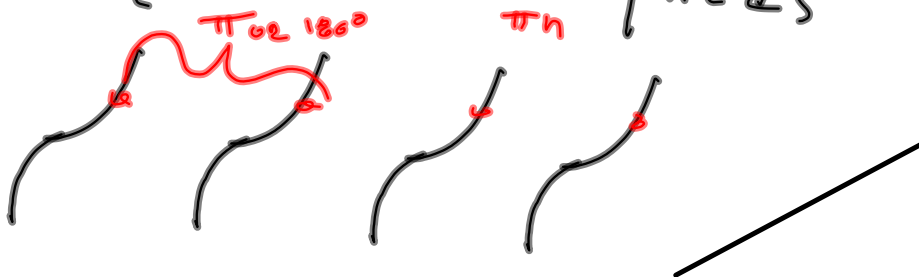
Find both solutions  
 for  $\theta$ . Round to 4  
 places.

$$41.1859^\circ$$

$$221.1859^\circ$$

Find ALL solutions to  $\tan \theta = \frac{7}{8}$   
 Rounded to 4 places.

$$\theta \in \left\{ \theta \approx 41.1859^\circ + 180^\circ n \mid n \in \mathbb{Z} \right\}$$



$$\sin(\arcsin(-\frac{2}{3})) = -\frac{2}{3}$$

$$\arcsin(\sin(150^\circ)) = \arcsin(\frac{1}{2}) = 30^\circ$$

