

has to limit the cost of development and production to \$276 per surfboard. He has already spent \$58,760 on equipment for the boards. The production costs are \$146 per board. The cost per board is $\frac{146x + 58,760}{x}$ dollars. Determine the number of boards that must be sold to limit the final cost.

must be sold to limit the cost per board to \$276?

Not sure about this one. I *think* that most of the numbers here are just showing you what went into the cost-per-board function. Our focus is just on the cost per board. With the tools we have, our best bet might be just to build a table. We basically want that function to be less than \$276.

$$\frac{146x + 58760}{x} = (276)\left(\frac{x}{x}\right) = \frac{276x}{x}$$

$$146x + 58760 = 276x$$

etc.

Section 1.2 in Earnest

Solve

$Cx + Gy = K$, for x .

$$Cx = K - Gy$$

$$x = \frac{K - Gy}{C}$$

Solve for m .

$$G = \frac{1}{7} p(m - q)$$

$$\frac{7G}{7} = \frac{p(m - q)}{7}$$

$$7G = pm - pq$$

$$pm - pq = 7G$$

$$pm = 7G + pq$$

$$m = \frac{7G + pq}{p}$$

$$\frac{5}{5} = \frac{3x}{5} \quad \text{New } p$$

$$3x = 5$$

$$x = \frac{5}{3} \quad y < p$$

http://en.wikipedia.org/wiki/How_to_Solve_It



§ 1.2 Problem-Solving/Modeling
word Problems.

What is the simple interest rate if \$134.49 in interest is earned on a deposit of \$1925.01 in one year?

Simple Interest

$$I = Prt$$

I = interest rate

P = Principal (in \$)

t = Time (in yrs)

t = 1 for this prob.

$$134.49 = (1925.01)r(1)$$

$$\frac{134.49}{1925.01} = r$$

(1.28+.04*3.82)/	
.04	35.82
134.49/1925.01	.0698645721

This says $r \approx .0698$
= 6.98%

Cameron and his friend John bought a used circus carousel for \$69,733, including sales tax. If the sales tax rate is 7%, then what was the cost of the carousel before the tax?

\$64,851.69 is the guess.

check:

$$64,851.69 \neq (64,851.69)(.07) = 69,733$$

≈

.04	35.82
134.49/1925.01	.0698645721
64851.69+64851.6	9*.07
69391.3083	

$$69,733 - (.07)(69,733)$$

New p.

$$64,851.69 + (64,851.69)(.07) = 69,733$$
~~$$x + (x)(.07) = 69,733$$~~

$$x + .07x = 69,733$$

$$1.07x = 69,733$$

$$x = \frac{69,733}{1.07}$$

$$x \approx 65,171.02$$

$$65171.02 + (65171.02)(.07)$$

$$= (1.07)(65171.02)$$

Key to getting the right equation was checking the 1st (bad) guess

$$x + 2x = 3x$$

$$1x + 2x = x(1+2) = 3$$

$$1x + .07x =$$

64851.69+64851.6	
9*.07	69391.3083
65171.02*.07	4561.9714
65171.02*1.07	69732.9914

erty clos.

writeup: Let $x =$ price before tax (in \$)

$$\text{Then } x + .07x = 69733$$

You invested \$15,000 in two accounts paying 3% and 7% annual interest, respectively. If the total interest earned for the year was \$570, how much was invested at each rate?

Make a guess

7500 in each account

$$\begin{array}{r} 7500 \\ + 7500 \\ \hline 15000 \end{array} \quad \checkmark$$

$$(7500)(.03) + (7500)(.07) = 570 \quad \text{want}$$

Doesn't work

$$x + y = 15000$$

$$.03x + .07y = 570$$

Let $x =$ amt invested @ 3% (in \$)

$y =$ " " " " " " " " 7% (in \$)

$$x + y = 15000 \rightarrow y = 15000 - x$$

$$.03x + .07y = 570$$

$$.03x + .07(15000 - x) = 570$$

$$.03x + .07(15000) - .07x = 570$$

$$-.04x + .07(15000) = 570$$

$$-.04x = 570 - .07(15000)$$

$$x = \frac{570 - .07(15000)}{-.04}$$

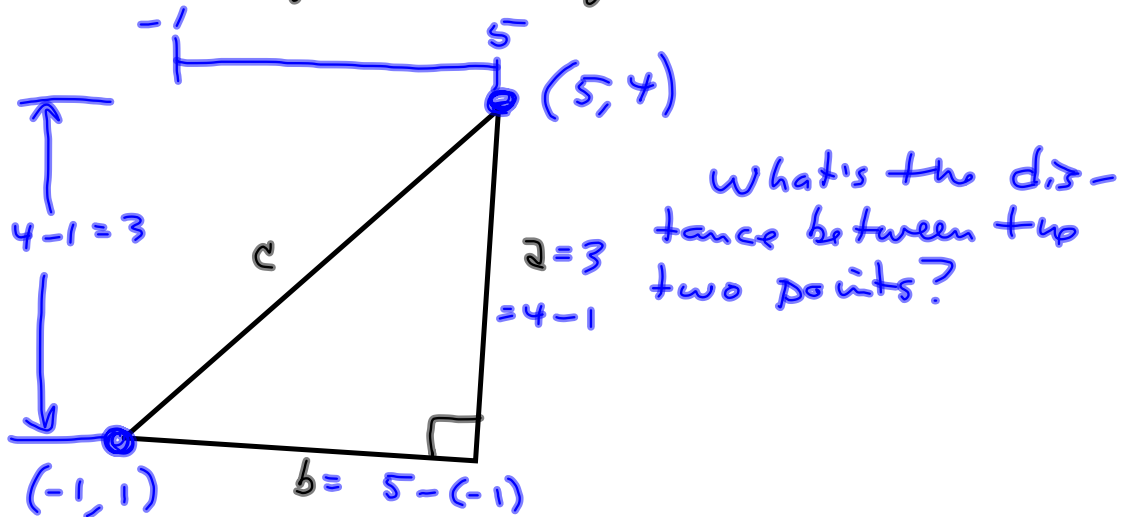
$$x = 12000 \Rightarrow$$

$$y = 15000 - 12000 = 3000 = y$$

$(570 - .07 * 15000) /$	
$-.04$	12000

§ 1.2 Done, but for questions

§ 1.3 Pythagorus Says $a^2 + b^2 = c^2$



$$c^2 = a^2 + b^2$$

$$c^2 = (4-1)^2 + (5-(-1))^2$$

$$c = |c| = \sqrt{c^2} = \sqrt{(4-1)^2 + (5-(-1))^2}$$

Distance from (x_1, y_1) to (x_2, y_2) is

$$d = \sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2}$$