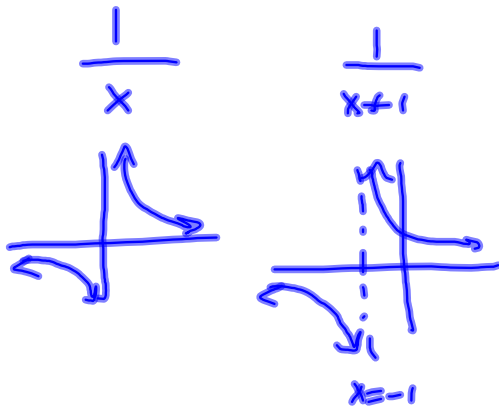


Same example to make the point.
But remember the point:

Find LCD
Write everything over the LCD
Decide if you can ditch the LCD.



Aside for the future

$$\frac{(x-2)}{x+1} > 1$$

Clearing Fractions
doesn't cut it for
inequalities

$$\frac{x-2}{x+1} - 1 > 0$$

$$\frac{x-2}{x+1} - \frac{1}{1} \cdot \frac{x+1}{x+1} > 0$$

$$\frac{x-2-(x+1)}{x+1} > 0$$

$$\frac{x-2-x-1}{x+1} > 0$$

$$\frac{-3}{x+1} > 0$$

Determine whether the given number is a solution to the equation following it.

$$-5, (x-2)^2 = 49$$

$$(-5-2)^2 = ? \quad 49$$

$$(-7)^2 = ? \quad 49$$

$$49 = 49$$

$$3.5 \quad 3\frac{1}{2}$$

$$= \frac{7}{2}$$

$$(-7)(-7) =$$

$$(-1)(7)(-1)(7)$$

$$= (-1)(-1)(7)(7)$$

$$= (1)(49)$$

$$= 49$$

Solve. Don't forget to check!

$$-2x + 10 = 28$$

$$\begin{array}{r} -10 = -10 \\ \hline -2x = 18 \end{array}$$

$$x = -\frac{18}{2} = \boxed{-9 = x}$$

$$-\frac{2x}{-2} = \frac{18}{-2}$$

why not $x = -9$
combine the steps?

$$\frac{2}{7}x = 10$$

$$-2x < 18$$

$$x > \frac{18}{-2}$$

$$x > -9$$

Solve the following equation. Then identify the equation as an identity, an inconsistent equation, or a conditional equation.

$3x + 4x = 6x$

$3x + 4x = 6x$
 True if $x=6$.

$\frac{7x}{x} = \frac{6x}{x}$

$7 = 6 ! ?$
 Bad Move.

$\frac{7x = 6x}{-6x = -6x}$
 $x = 0$

Solve the following equation. Then identify the equation as an identity, an inconsistent equation, or a conditional equation.

$\frac{9x}{x} = 9$

LCD: x

$\frac{9x}{x}$

$\frac{9 \cdot x}{x} = \frac{9x}{x}$

$\frac{9x}{x} = \frac{9x}{x}$

$\Rightarrow 9x = 9x$

\vdots
 $0 = 0$
 is true, no matter what x is!

We have an issue with the domain of the problem

$x \neq 0$. Can't divide by zero!

$x \in \mathbb{R}$

Sol'n Set = $\{x \mid x \neq 0\} = \mathbb{R} \setminus \{0\}$

Set-builder

{ club member

membership requirements

$= (-\infty, 0) \cup (0, \infty)$

Solve the following equation involving rational expressions. Then identify the equation as an identity, an inconsistent equation, or a conditional equation.

$$\frac{1}{w-2} - \frac{1}{3w-6} = \frac{2}{3w-6}$$

$LCD = 3(w-2)$
 $\frac{1}{2} \cdot \frac{5}{5} + \frac{1}{10}$

$$\frac{1}{w-2} \cdot \frac{3}{3} - \frac{1}{3(w-2)} = \frac{2}{3(w-2)}$$

$$\frac{A}{B} = \frac{C}{B}$$

$$\Rightarrow A = C$$

$$\frac{3}{3(w-2)} - \frac{1}{3(w-2)} = \frac{2}{3(w-2)}$$

$$\frac{3-1}{LCD} = \frac{2}{LCD}$$

Ditch Denominator.

$$\Rightarrow 3-1 = 2$$

$$2 = 2$$

Initial Inth.

Equation is an identity on its domain.

SOLIN SET

$$\{w \mid w \neq 2\} = \mathbb{R} \setminus \{2\}$$

Solve the following equation involving rational expressions. Then identify the equation as an identity, an inconsistent equation, or a conditional equation.

$$\frac{3y}{y+3} = 8 - \frac{9}{y+3}$$

$$LCD = y + 3$$

$$\frac{3y}{y+3} = \frac{8(y+3)}{y+3} - \frac{9}{y+3}$$

$$3y = 8y + 24 - 9$$

$$3y = 8y + 15$$

$$\frac{-8y = -8y}{-5y = 15}$$

$$-5y = 15$$

$$y = -3$$

whole class caught me.

$$\frac{15}{-3} = -3$$

Why ditch the denominator?

$$\frac{x-3}{x^3+17} = \frac{5x+2}{x^3+17} \leftarrow \text{I+ hunts.}$$

$\Rightarrow x-3 = 5x+2, \text{ etc.}$

Sec	Probs
1.1	1 - 8, 11, 15, 21, 27, 29, 35, 37, 41, 45, 57, 49, 51, 57, 63, 65, 69, 73, 75, 83, 85, 93, 104, 105, 107, 109
1.2	1 - 5, 8, 11, 13, 16, 21, 27, 29, 32, 33, 37, 39, 41, 42, 43, 45, 57, 50, 51, 53, 55, 57, 59, 63, 65, 69, 74, 79, 81, 85, 86

Use a calculator to solve the following equation.

$$0.04(x - 3.82) = 1.28$$

Write Much
Think Little.

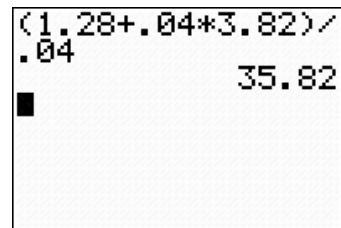
$$.04x - (.04)(3.82) = 1.28$$

$$.04x = 1.28 + (.04)(3.82)$$

$$x = \frac{1.28 + (.04)(3.82)}{.04}$$

$$\Rightarrow \boxed{x = 35.82}$$

$$x \approx 35.8$$



```
(1.28+.04*3.82)/
.04
35.82
```

$$\sqrt{3} \approx 1.732$$

Use a calculator to solve the equation.

$$\frac{.265}{.265} \frac{x}{0.290} + \frac{x}{0.265} = \frac{.290}{.290}$$

$$LCD = (290)(.265)$$

$$6 \cdot \frac{(.290)(.265)}{(.290)(.265)}$$

$$\frac{.265x + .290x}{LCD} = \frac{6(.290)(.265)}{LCD}$$

$$.265x + .290x = 6(.290)(.265)$$

$$x(.265 + .290) = 6(.290)(.265)$$

$$x = \frac{6(.290)(.265)}{.265 + .290}$$

Absolute Value Equations and Inequalities.

Solve the following absolute value equation. Use the basic absolute value equations.

$$|x| = 17$$

One with Fractions.

Solve the following absolute value equation.

$$\frac{1}{6}|x - 5| = 3$$

Reduce to the previous case...

Solve the following absolute value equation.

$$3|y + 3| - 15 = 0$$

Pseudo-quadratic

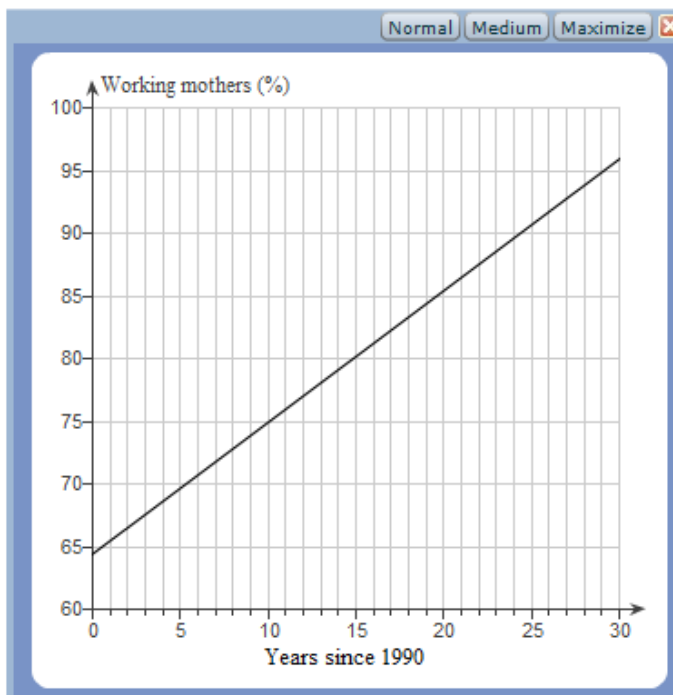
Solve the following equation.

$$\underline{(x+3)^2 = x^2 + 6}$$

Solve the following equation.

$$\frac{x+3}{x+6} = \frac{x+2}{x+3}$$

a) Use the accompanying graph to estimate the year in which 75% of t were in the work force.



A surfboard shaper has to limit the cost of development and production to \$276 per surfboard. He has already spent \$58,760 on equipment for the boards. The development and production costs are \$146 per board. The cost per board is $\frac{146x + 58,760}{x}$ dollars. Determine the number of boards that must be sold to limit the final cost per board to \$276.

How many boards must be sold to limit the cost per board to \$276?

Not sure about this one. I *think* that most of the numbers here are just showing you what went into the cost-per-board function. Our focus is just on the cost per board. With the tools we have, our best bet might be just to build a table. We basically want that function to be less than \$276.