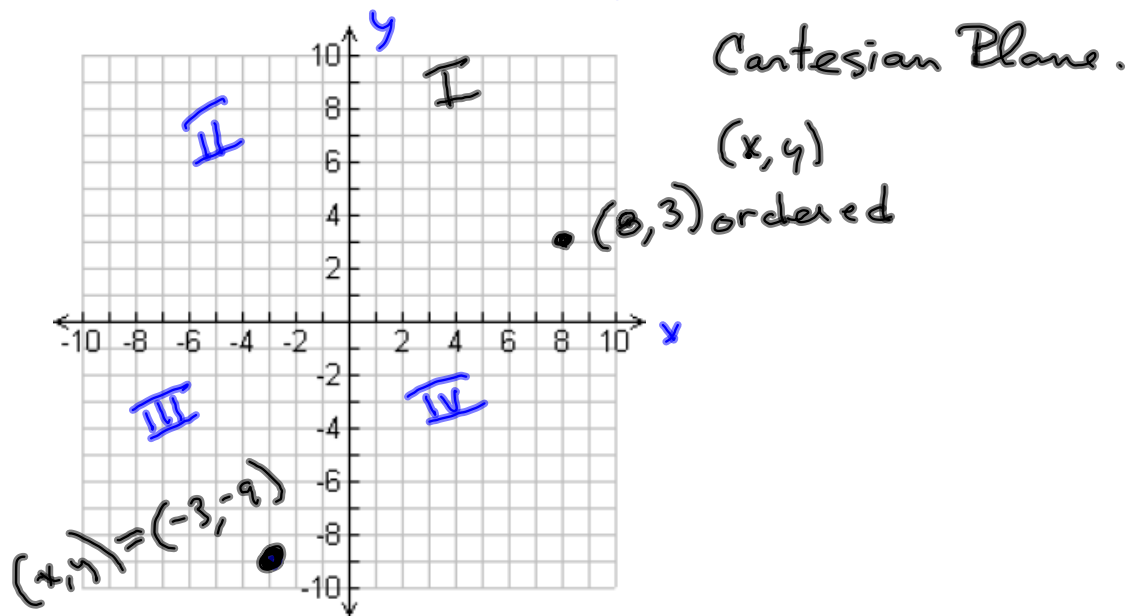


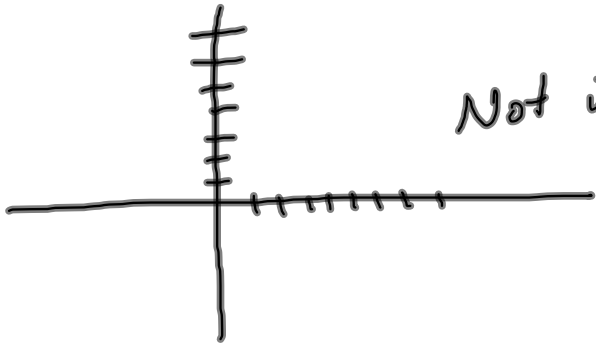
Amnesty Day -  
Any late or less-than-5-pts  
homework?  
Turn it in Monday for  $\frac{1}{2}$ -credit.

---

If your homework is in before I grade  
it, it's on-time.

## S 3.1 Graphing (Linear) Equations.





Not interested in tickmarks.  
To earn points on graphs, label key points as ordered pairs.

Example

x	y
0	-3
2	0

$$3x - 2y = 6$$

$$3(0) - 2y = 6$$

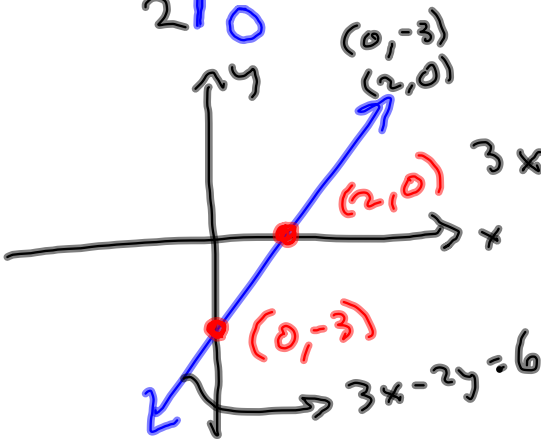
$$-2y = 6$$

$$y = -3$$

$$3x - 2(0) = 6$$

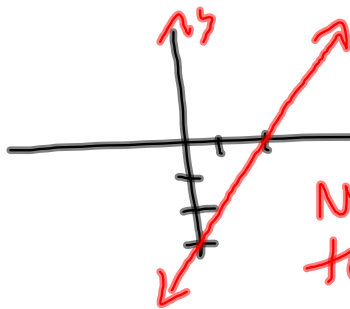
$$3x = 6$$

$$x = 2$$



(0, -3)

both graphs are OK



23.7

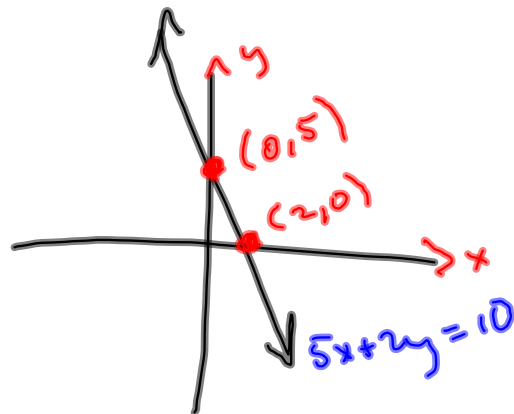
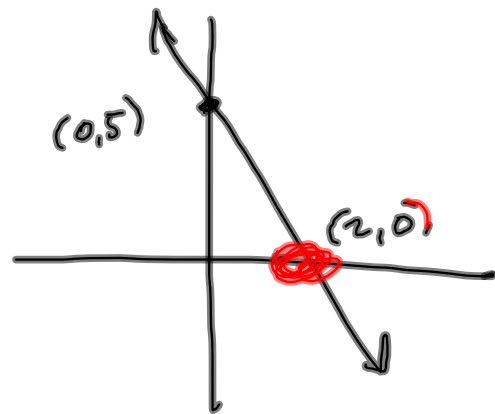
Not labeling the points as ordered pairs.

$$5x + 2y = 10$$

x	y
0	5
2	0

(0,5)

(2,0)



Determine if an ordered pair is a solution

$$x + y = 7$$

$$(1, 6) : 1 + 6 = 7?$$

$$(-3, 11) : -3 + 11 = 7?$$

(1, 6)  
Yes

(-3, 11)  
No

pare  
pear  
pare

Does the (x, y) pair  
"satisfy the equation."

Graph by plotting points.

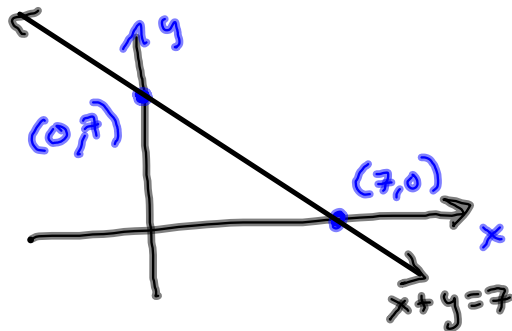
$$x + y = 7$$

x	y
0	7
7	0

Finding x- & y-intercepts  
is always good.

x	y
0	7
7	0

All you  
need for  
a line is  
2 points.



preferably the x- and y-intercepts.

Notice how "sparse" this graph is. For speed and efficiency, focus on the important stuff, like the intercepts.

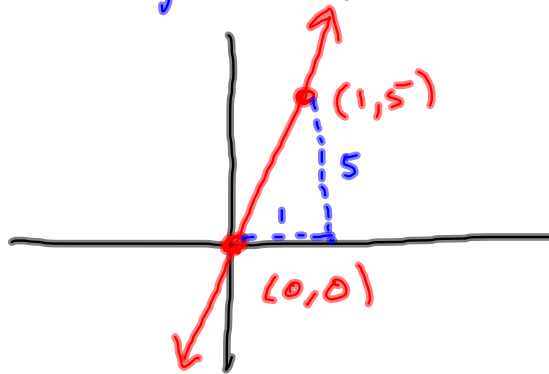
$$y = 5x$$

$$3x + 2y = 0$$

Intercept method yields only one point, when line passes thru the origin. So, pick another point.

$$y = 5x$$

x	y
0	0
1	5



$$y = 5x = \frac{5}{1}x$$

$$= \frac{\text{up } 5}{\text{right } 1}$$

Another (Linear) Equation.

$$y = 3x - 5$$

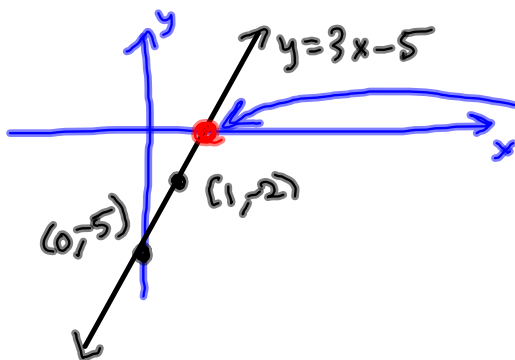
$$\underline{x\text{-int} \text{ : } y = 0}$$

$$0 = 3x - 5 = 0$$

$$3x = 5$$

$$x = \frac{5}{3}$$

$$\left(\frac{5}{3}, 0\right)$$



Your textbook wants you to plug in points at random. This won't be good enough for most graphs on homework and tests. What matters? INTERCEPTS.

In the case where there is only one intercept, you will have to find another point that isn't an intercept.

In Chapter 3, our focus is on LINES. We will devote ourselves to other concepts in later chapters, even though some other things are sprinkled into Chapter 3:

- Quadratics: Anything with an  $x^2$  in it, we IGNORE, for now.
- Absolute Value: Anything with a  $|x|$  in it (or a  $|5x - 3|$ ), we IGNORE, for now.

Plotting anything but lines by just plugging in points is a waste of time. We have better ways of attacking these other things. It's enough, for now, to know that 3.1 #s 21 - 26 are NOT LINEAR.

So, when doing practice problems that I'm NOT collecting, be sure to omit (leave out) the following:

3.1 #s 33, 34, 37 - 40, 45, 46.

*Inappropriate, imo.*

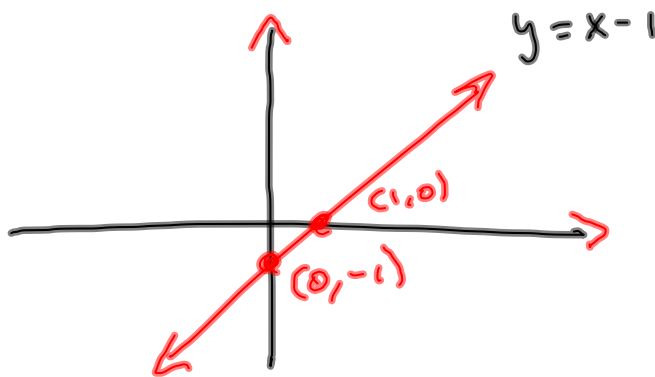
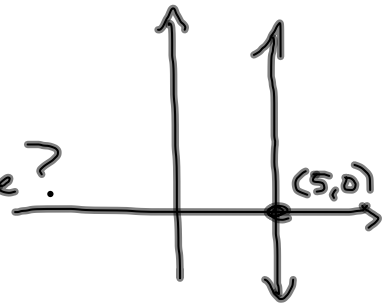
38  $y = 3x^2$   
Not a line  
46  $y = |x - 1|$   
Not a line.

Anything I ask you to graph on Chapter 3 Test will either be a line or have a line as its boundary.

Linear:  $x$  &  $y$  to the 1<sup>st</sup> power.

$y = 5x$ ,  $3x + 2y = 7$   
 $y = 17$ ,  $x = 5$

what does  $y = |x - 1|$  look like?



x	y
0	-1
1	0

$|3| = 3$

$|4| = 4$

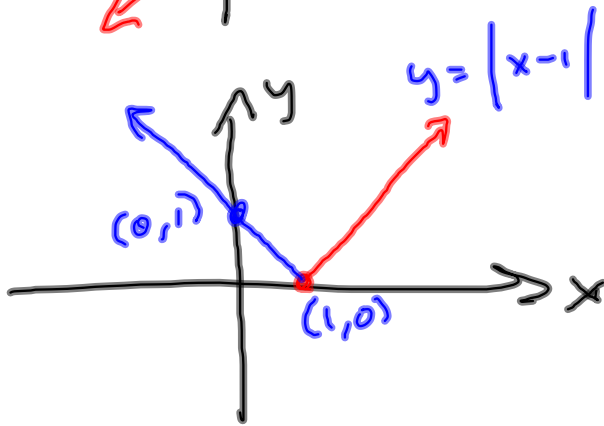
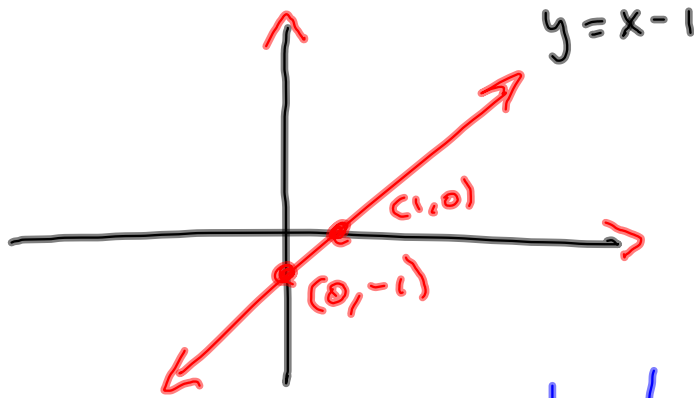
$|1 - 3| = 3$

$|1 - 5| = 5$

$|x| = \begin{cases} x & \text{if } x \geq 0 \\ -x & \text{if } x < 0 \end{cases}$

$|\square| = \begin{cases} \square & \text{if } \square \geq 0 \\ -\square & \text{if } \square < 0 \end{cases}$   
 $|1 - 5| = -(-5) = 5$





$$y = |x - 1| = \begin{cases} x - 1 & \text{if } x - 1 \geq 0 \\ -(x - 1) & \text{if } x - 1 < 0 \end{cases}$$

